
CHARACTERISATION AND MODELING OF THE CRASH BEHAVIOR OF DIFFERENT MATERIALS AND JOINTS WITH ASPECTS OF DIGITALIZATION

Silke Sommer

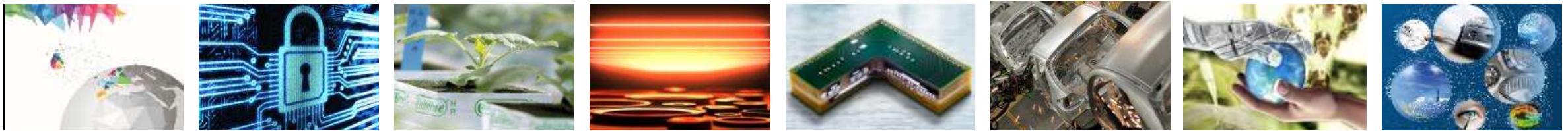


AGENDA

- Introduction of Fraunhofer IWM
- Characterization and Modeling the crash behavior of
 - of different materials and components
 - of different joints

Fraunhofer-Gesellschaft

Fraunhofer Groups: Pooling expertise



Institutes working in related subject areas cooperate in Fraunhofer Groups and foster a joint presence on the R&D market. They help to define the Fraunhofer-Gesellschaft's business policy and act to implement the organizational and funding principles of the Fraunhofer model.

- Innovation Research
- Information and Communication Technology
- Life Sciences
- Light & Surfaces
- Microelectronics
- Production
- Defense and Security
- Materials and Components – MATERIALS

Fraunhofer Institute for Mechanics of Materials IWM

Directors

Prof. Dr. Peter Gumbsch

Dr. Rainer Kübler (Deputy Director), Prof. Dr. Chris Eberl (Deputy Director)

300 Employees – 20.3 Mio. Euro Budget – 46.4 % from Industry (K2018)



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Location
Freiburg



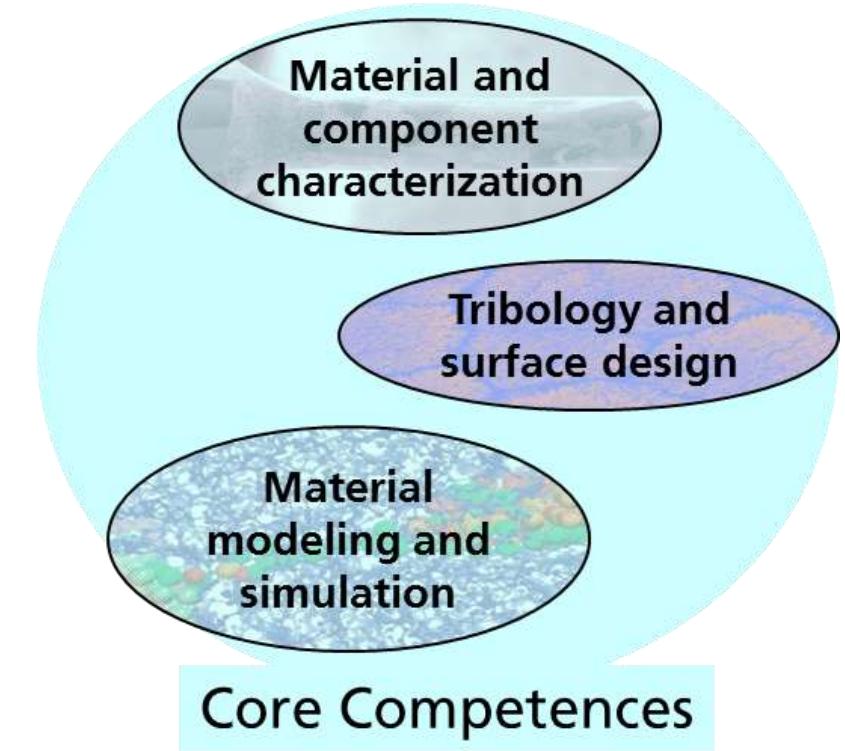
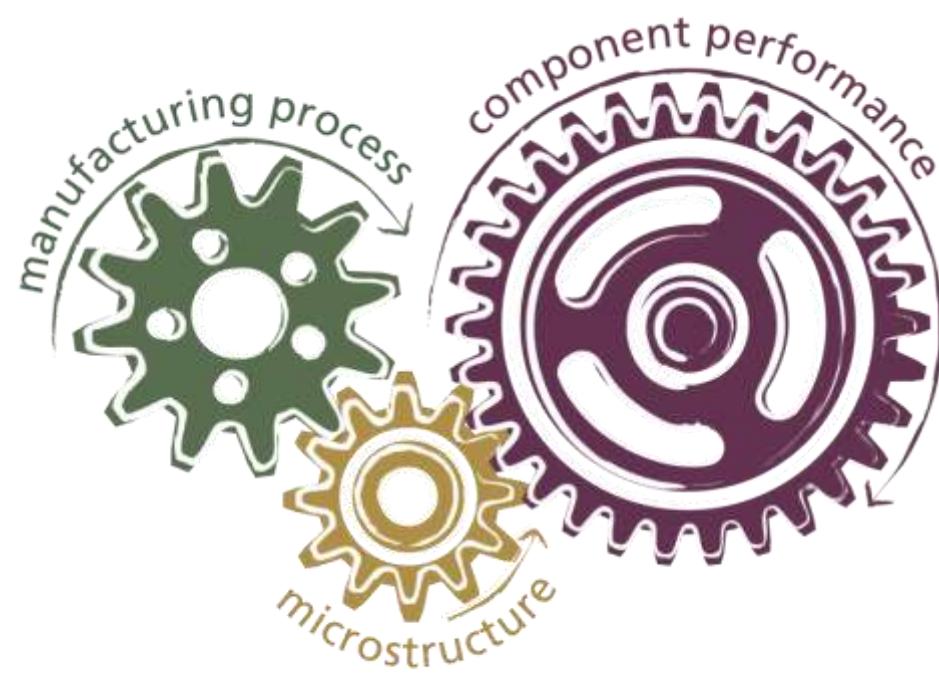
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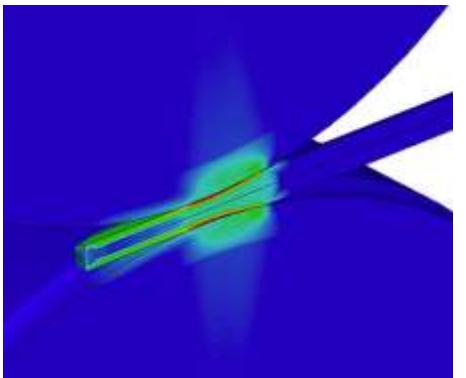
Location
Karlsruhe

Mechanics of Materials

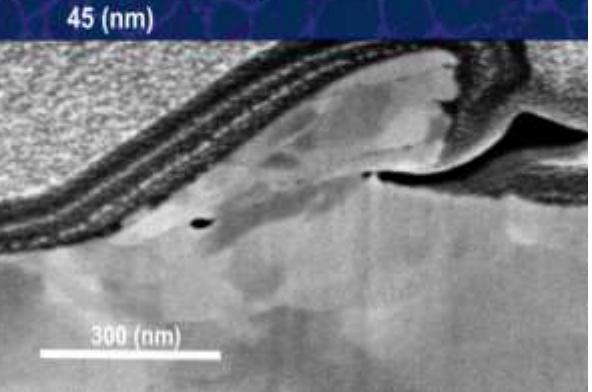
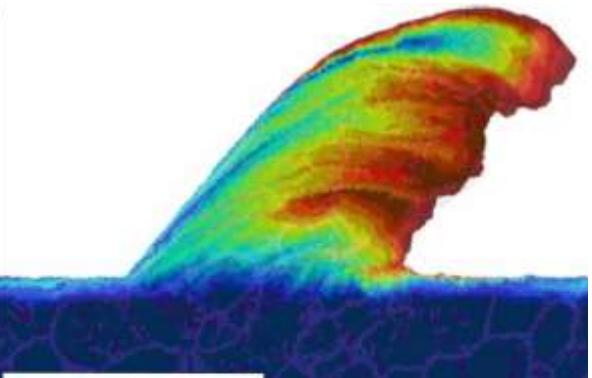
- How do materials behave in components?
- How do material properties evolve during manufacture?
- How can material properties be accurately adjusted?



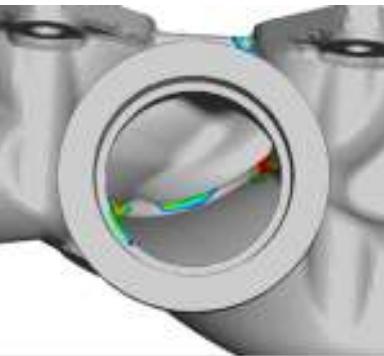
Combining experiment and simulation



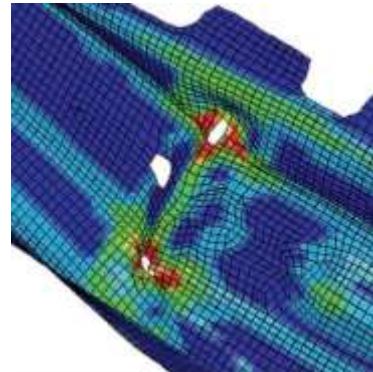
material
substitution



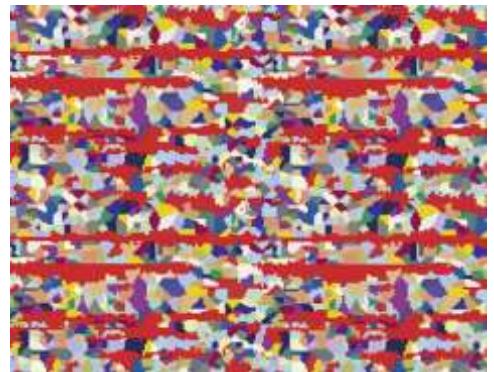
wear



lifetime
predictions

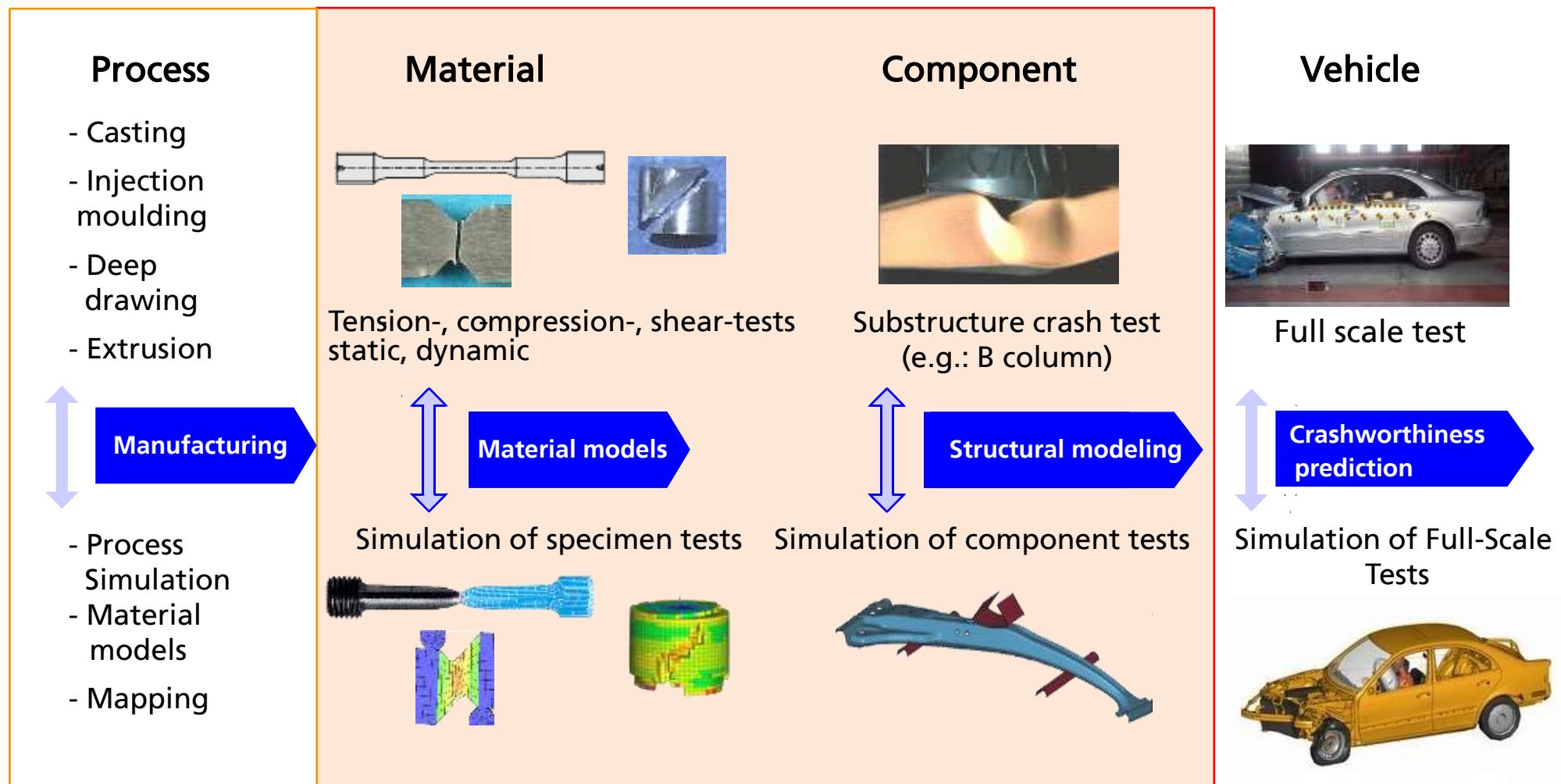


crash of high-
strength steel



sheet metal forming

Damage concept: multi step evaluation of crashworthiness

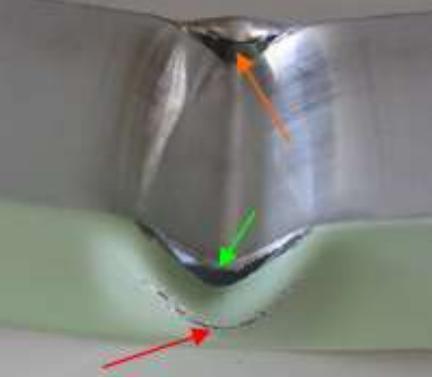


Investigated Aluminum profiles from different alloys

Material properties in three orientations



EN AW-6005A
(AlMgSi0.7)



EN AW-6082 T6
(AlMgSi1)

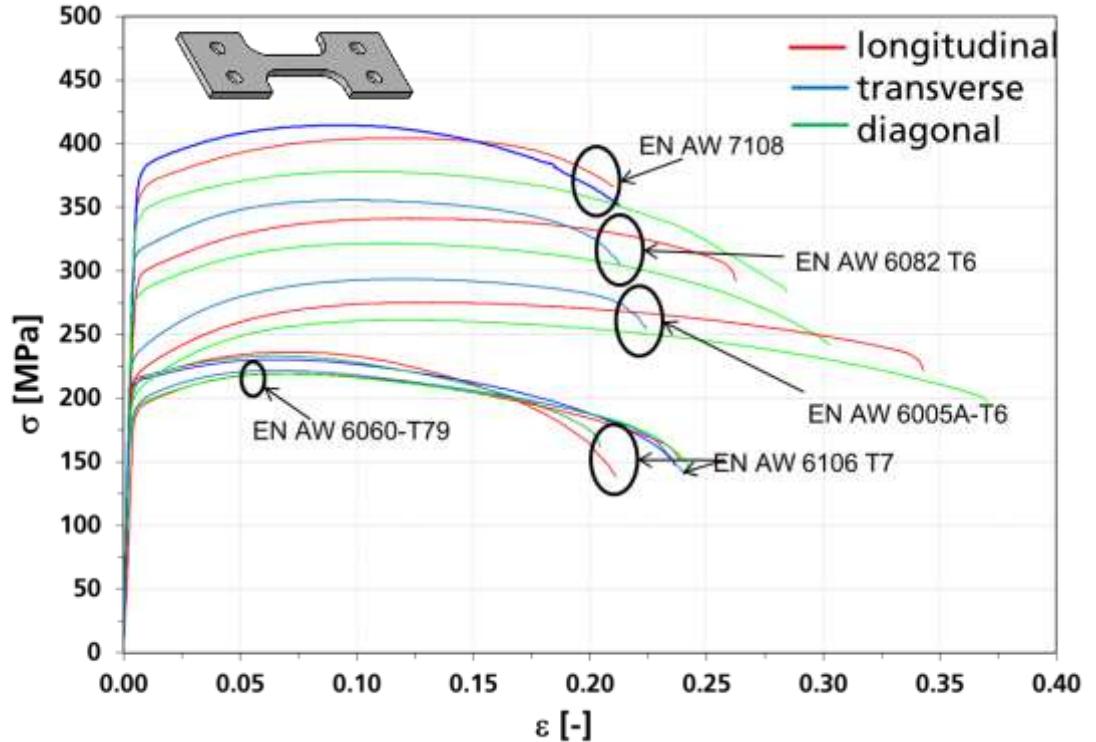


EN AW-7108
(AlZn5Mg1Zr)



EN AW-6060-T79
(AlMgSi0.5)

EN AW-6106 T7
(AlMgSiMn)

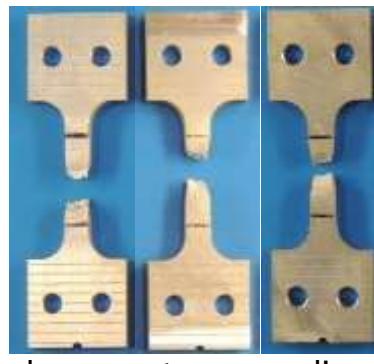


Different specimen tests for EN AW-6060-T79

Two chamber profile, 3.5mm wall thickness



Smooth tension



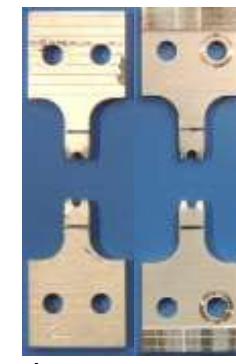
long. trans. diag.

Notch tension



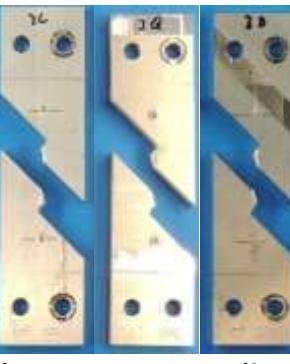
long. trans. diag.

Hole tension



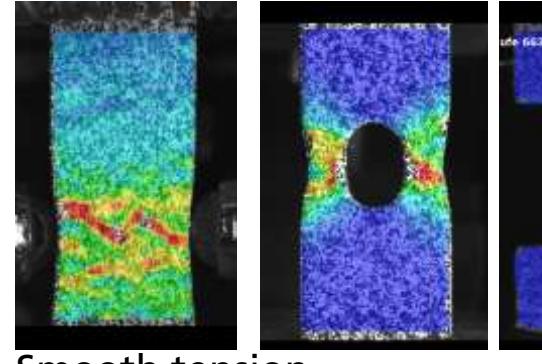
long. trans. diag.

Shear tension $\theta=0^\circ$

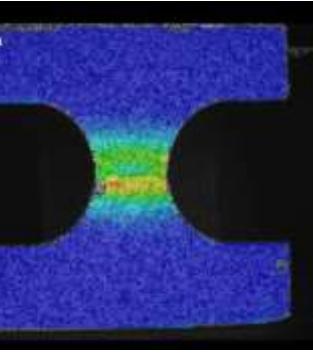


long. trans. diag.

Hole tension

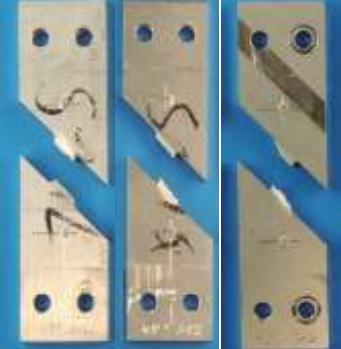


Smooth tension



Notch tension

Shear tension
 $\theta=45^\circ$



long. trans. diag.

Bending with
superimposed tension



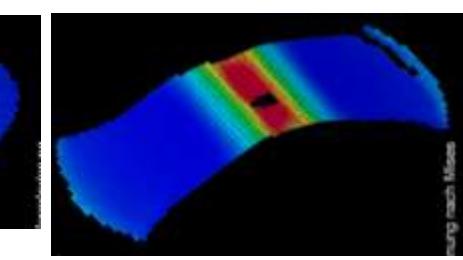
longitudinal transverse

Biaxial tension (punch)

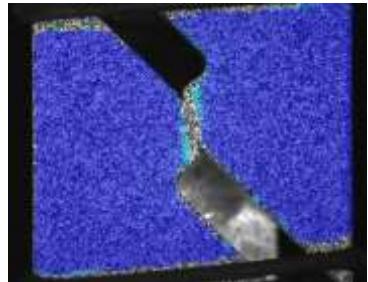


longitudinal transverse

Bending



Shear tension
 $\theta=0$

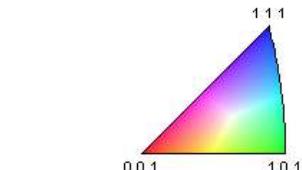


Anisotropic effects in smooth and notched tension tests of EN AW-6060-T79

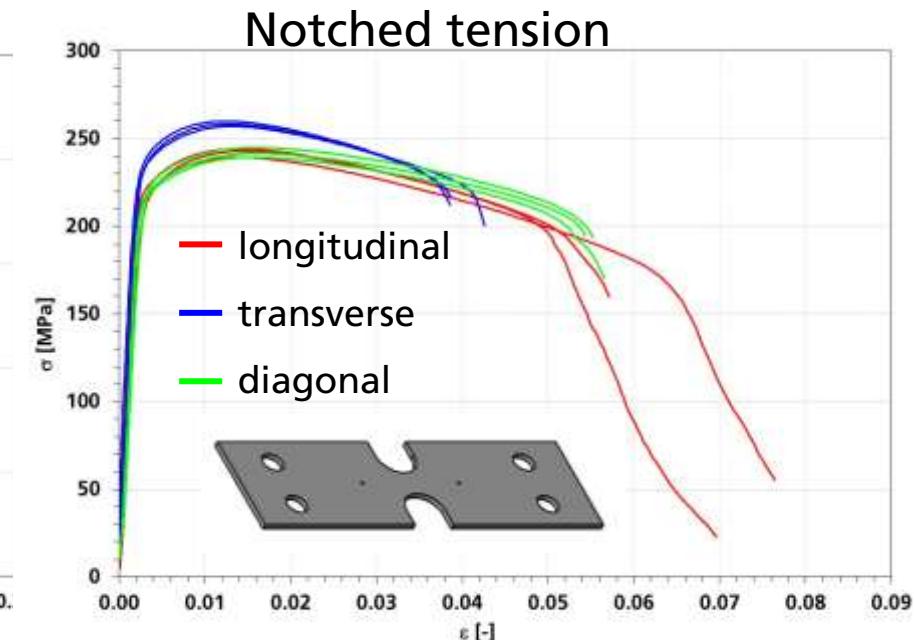
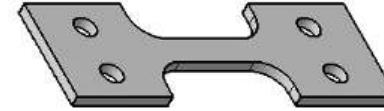
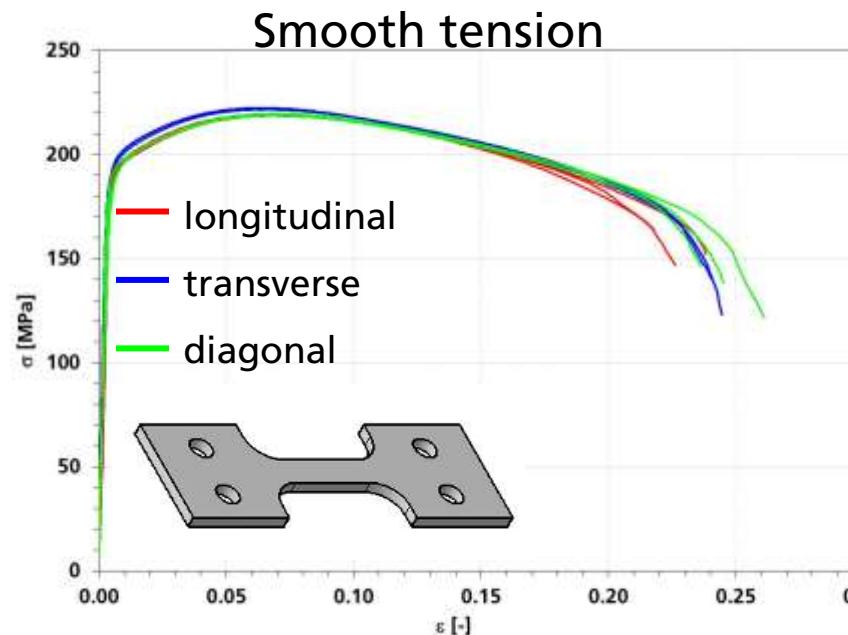
Wall thickness 3.5 mm



Inverse pole figure [001]



Distributions of grain size
and orientation



- Remarkable orientation dependence of deformation and damage behavior of notched tension specimens

- Negligible orientation dependence of flow curves
- Large orientation dependence of r-values: $r_0=0.4$, $r_{90}=1$, $r_{45}=0.3$

Modeling Anisotropic plasticity

- Barlat 3-parameter model (Yld89) with anisotropic hardening
- Barlat 1991 (Yld91) for solid elements
- Barlat 2000 (Yld2000) for shell elements
 - x = extrusion direction (longitudinal=0°)
 - y = transverse = 90°

Barlat 3-parameter $\Phi = a|K_1 + K_2|^m + a|K_1 - K_2|^m + c|2K_2|^m = 2\sigma_0^m$
3 material parameters

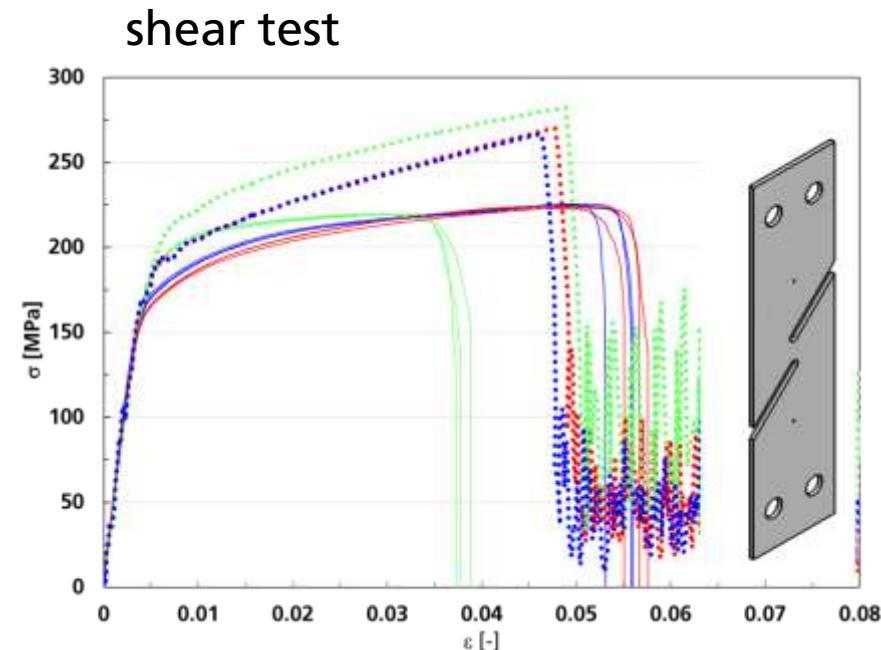
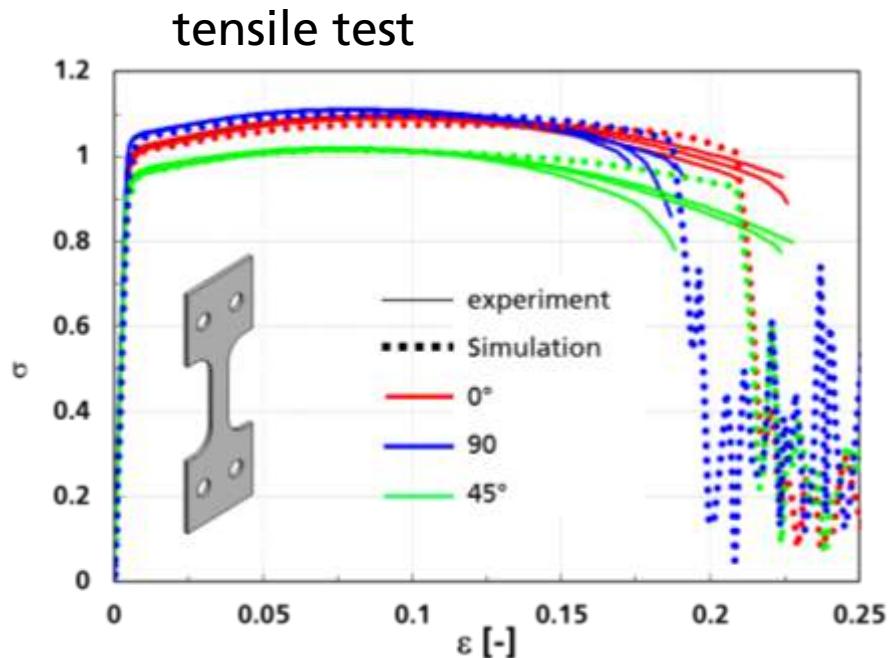
Barlat Yld91 $\Phi = |S_1 - S_2|^m + |S_2 - S_3|^m + |S_3 - S_1|^m = 2\bar{\sigma}^m$
6 material parameters

Barlat Yld2000 $\Phi = \varphi' + \varphi'' = 2\bar{\sigma}^a$
8 material parameters $\varphi' = |X'_1 - X'_2|^a \quad \varphi'' = |2X''_1 + X''_2|^a + |X''_1 + 2X''_2|^a$

K_i , resp. S_i , X'_i and X''_i , are components of a transformed stress tensor

Modeling of tensile and shear tests of EN AW 6082 T6 Barlat 3p with isotropic failure model GISSMO - shells

Measured and calculated stress vs. strain curves of tensile and shear tests in 0°, 45° and 90° directions

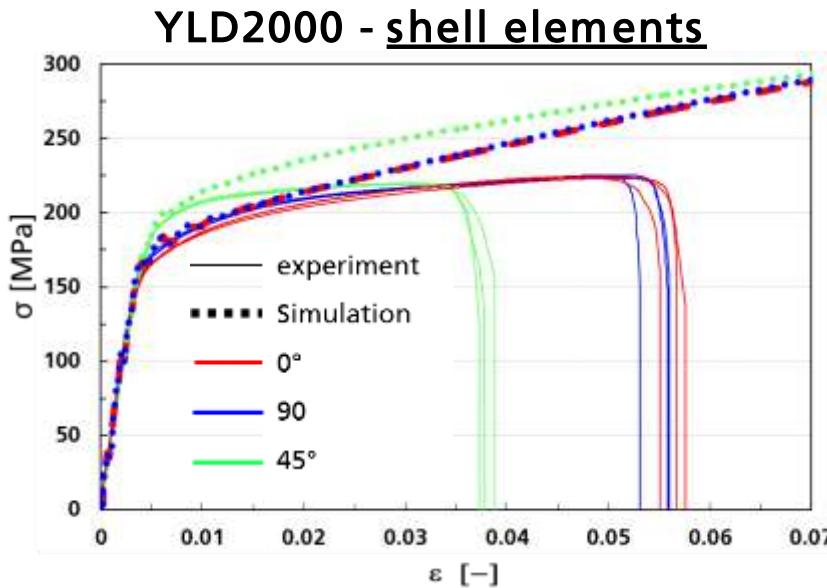


- good prediction not only of the yielding but also of the hardening at larger strain level
- in combination with the isotropic failure model the orientation dependent failure is predicted in a good manner

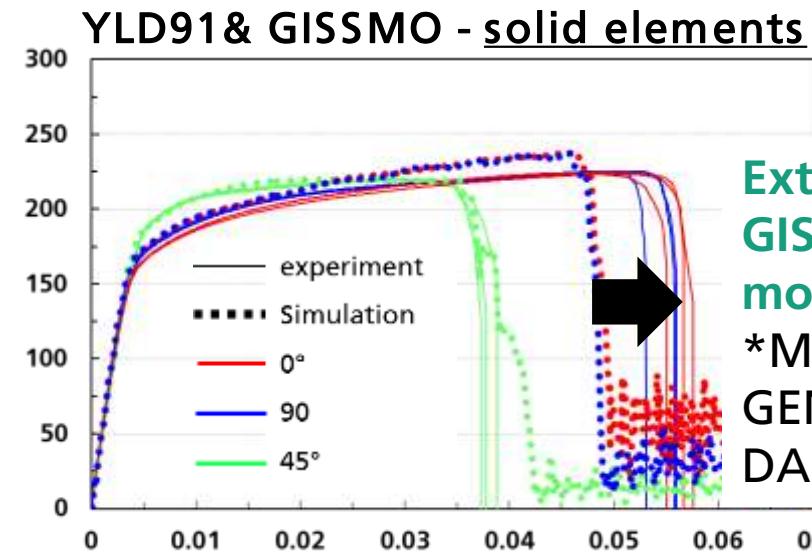
- bad prediction of the yielding in shear tests

Modeling of shear tests of EN AW 6082 T6 YLD2000 and YLD91

Measured and calculated stress vs. strain curves of shear tests in 0°, 45° and 90° directions. Simulations with YLD2000 and with Barlat 1991 in combination with GISSMO



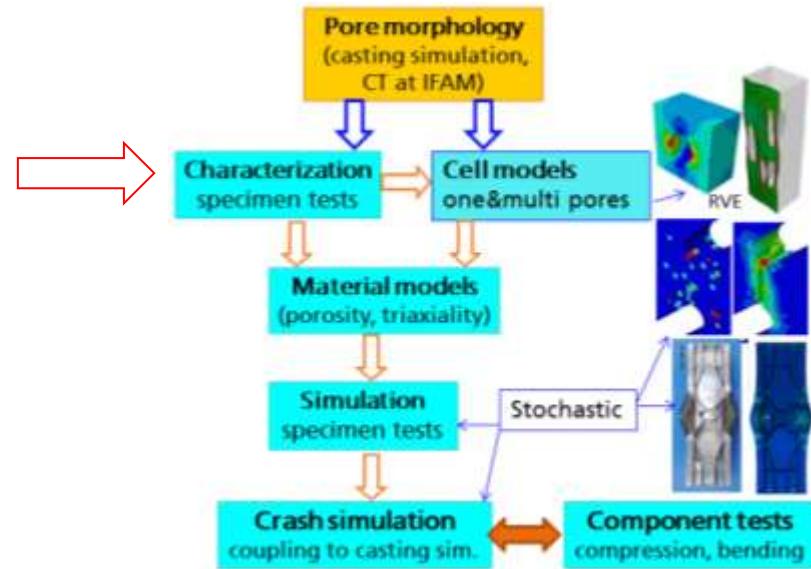
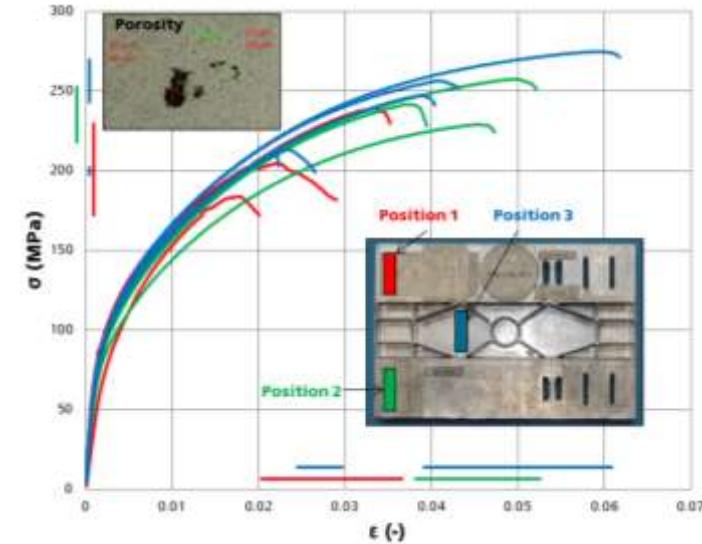
- good prediction of the yielding in shear tests with a good accuracy., but with increasing deformation the discrepancy increases
- discrepancy obtained also due to the element formulation (shell)



- good prediction not only of the yielding but also of the hardening at larger strain level
- in combination with the isotropic failure model the orientation dependent failure is predicted in an acceptable manner

Integrated modeling of aluminum die casting alloys

- Inhomogeneous microstructure and porosity result in a large scatter of local properties in a casting component
- There are not reliable methods to predict damage behavior of cast components considering pore morphology and its stochastic character
- Coupling of casting simulation with crash simulation is a necessary step to solve the problem
- The approach used in this work:
 - characterization of influence of porosity and triaxiality
 - development of material models
 - modeling of influence of pore morphology on damage at different loadings



Constitutive equations about porosity effects

Deformation and damage

Elastic properties

E_0 and ν_0 : Young's modulus and Poisson's ratio of matrix

f: porosity

E_a, E_b, ν_a, ν_b : parameters

$$\begin{cases} E = E_0(1 - f^{E_a})^{E_b} \\ \nu = \nu_0(1 - f^{\nu_a})^{\nu_b} \end{cases}$$

Yield and hardening

σ_{y_0} : yield stress of matrix

$\bar{\varepsilon}_m^{pl}$: equivalent plastic strain of matrix

s_a, s_b, A, B, n : parameters

$$\sigma_y = \sigma_{y_0}(1 - f^{s_a})^{s_b}$$

$$\sigma_{y_0} = A + B(\bar{\varepsilon}_m^{pl})^n$$

Damage

$\bar{\varepsilon}_f^{pl}$: failure strain of matrix

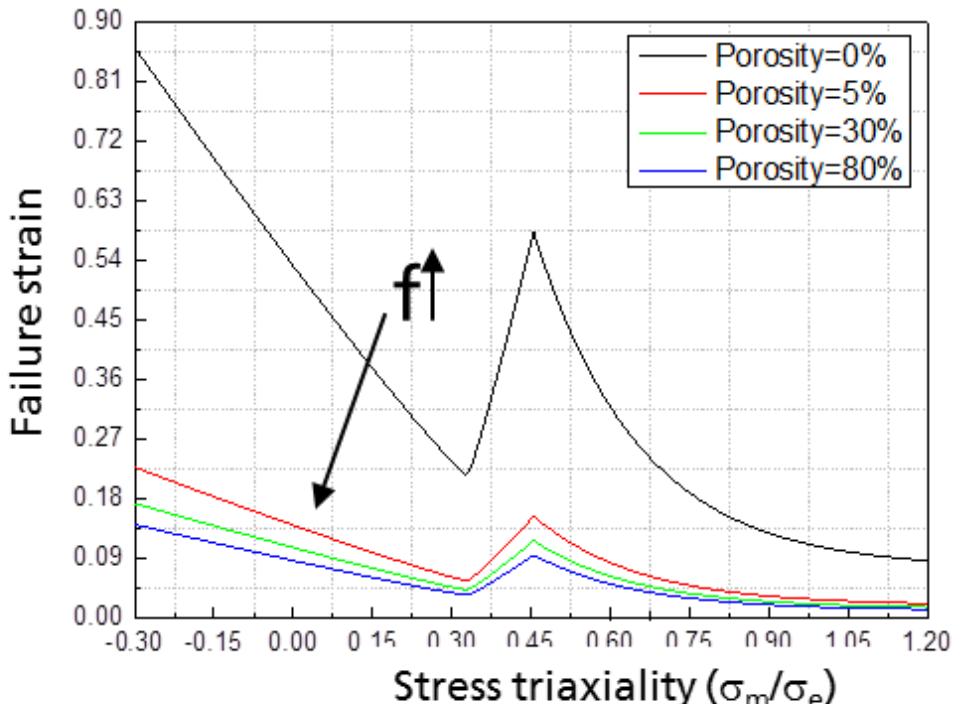
F_a, F_b, F_c : parameters

$$\bar{\varepsilon}_f^{pl} = (1 - F_a f^{F_b})^{F_c} \bar{\varepsilon}_{f_0}^{pl}$$

$$\bar{\varepsilon}_{f_0}^{pl} = d_{shear1} + d_{shear2} \left| \left(\frac{\sigma_m}{\sigma_e} - T_0 \right) \right|^{m_2} + d_{shear3} \left\langle - \left(\frac{\sigma_m}{\sigma_e} - T_0 \right) \right\rangle^{m_3}$$

$$\bar{\varepsilon}_{f_0}^{pl} = \left(d_1 + d_2 \exp(-d_3 \frac{\sigma_m}{\sigma_e}) \right) \quad \text{for } \sigma_m/\sigma_e - T_0 \geq 1/3$$

Damage curves: $\varepsilon_f^{pl}(f, \sigma_m/\sigma_e)$

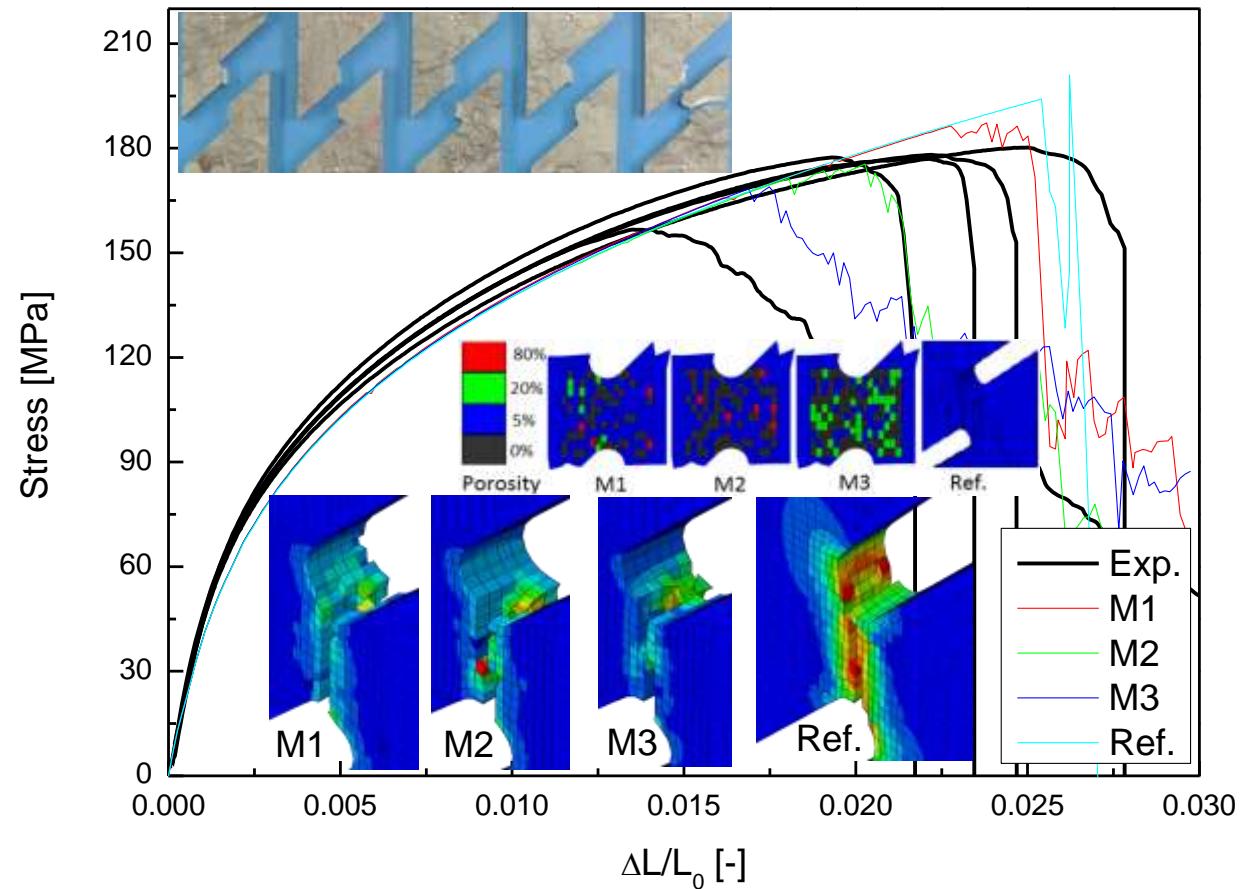
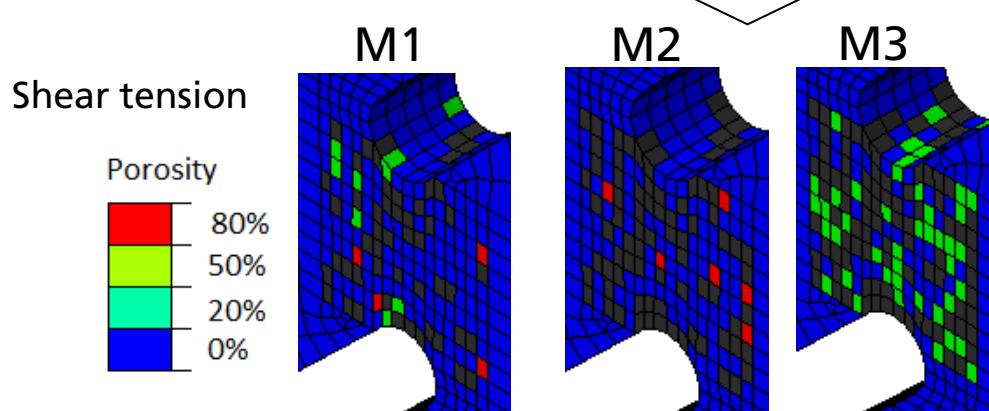


Modeling of different pore morphologies ($f=5\%$) under shear loading

- Three pore morphologies (840 elements in specimen center)
 - M1: $30*80\%+30*20\%+600*2\%+180*0\%$
 - M2: $50*80\%+100*2\%+690*0\%$
 - M3: $200*20\%+100*2\%+540*0\%$
- Ref: Homogeneous pore distribution
 $840*5\%$

User Material model

Casting simulation
(stochastic)



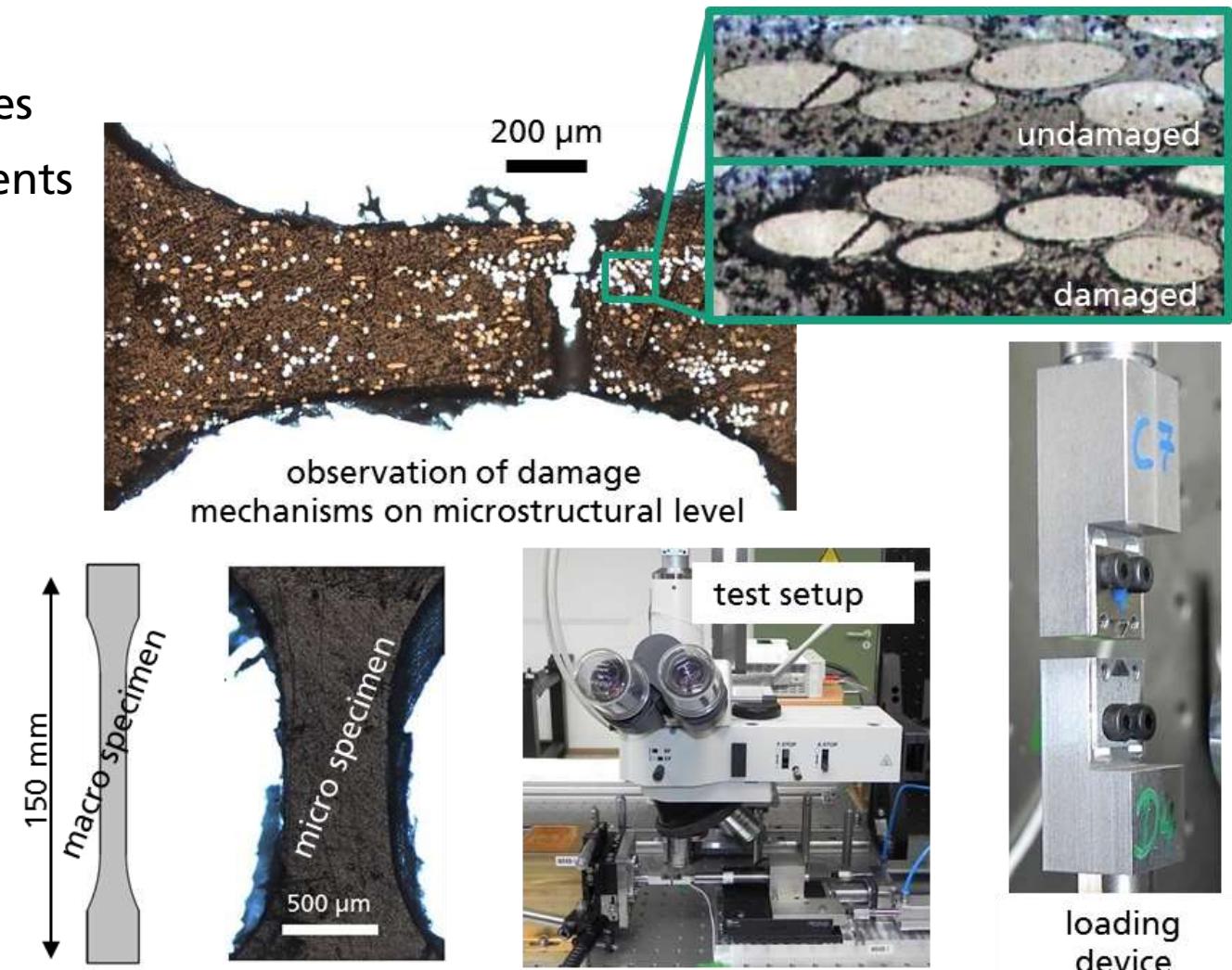
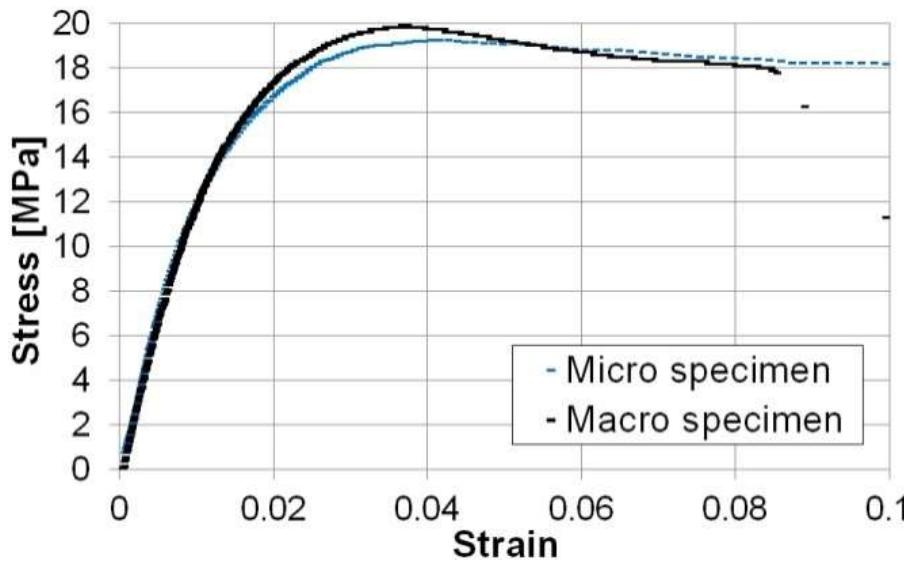
→ Scatter in simulation is similar to that in experiment

Characterization and modeling of the fiber / matrix / interface behavior of FRP

Micromechanical in-situ testing methods

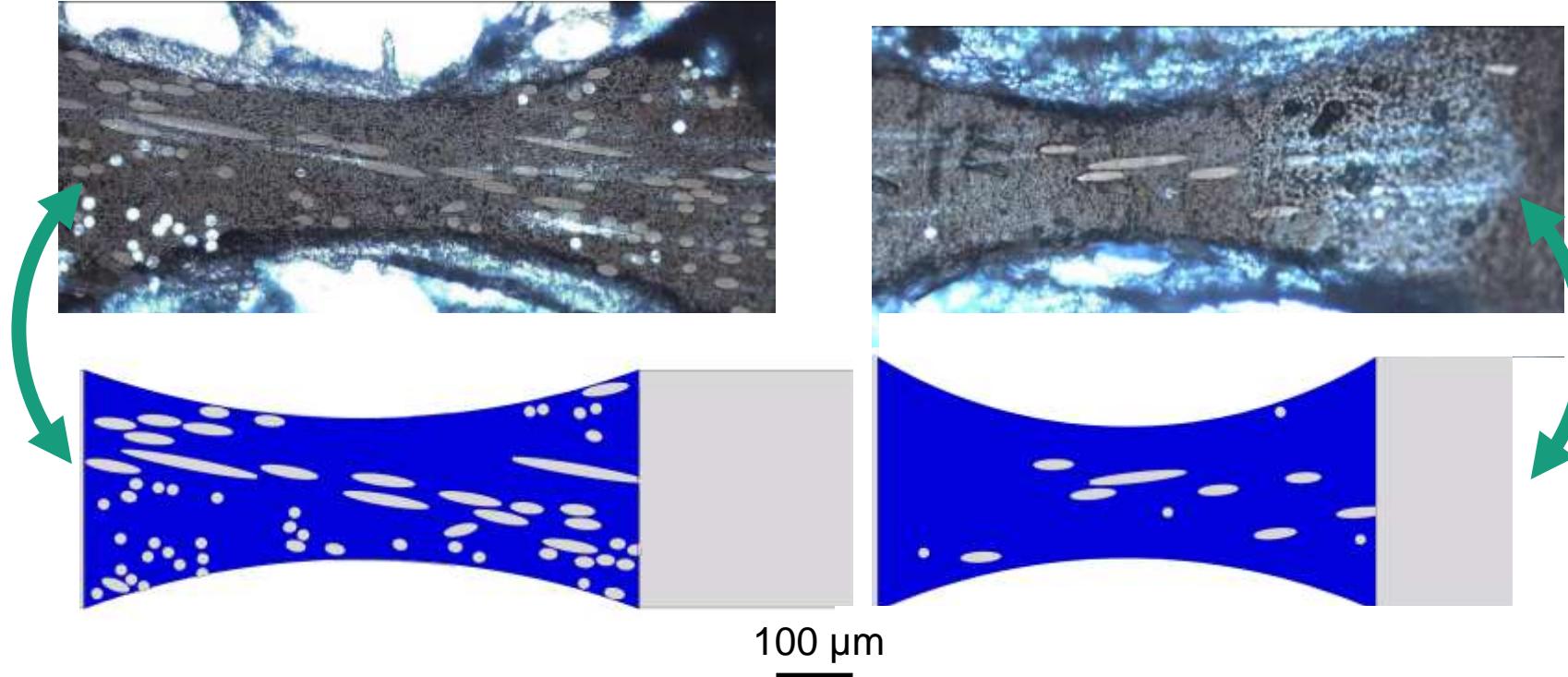
- local characterization of material properties
- specimen preparation from small components
- direct observation of damage mechanisms

stress-strain curves: micro vs. macro



Characterization and modeling of the fiber / matrix / interface behavior of FRP

Identification of the constitutive properties (fiber/matrix/interface) using inverse simulation



Strain rate dependent damage mechanisms

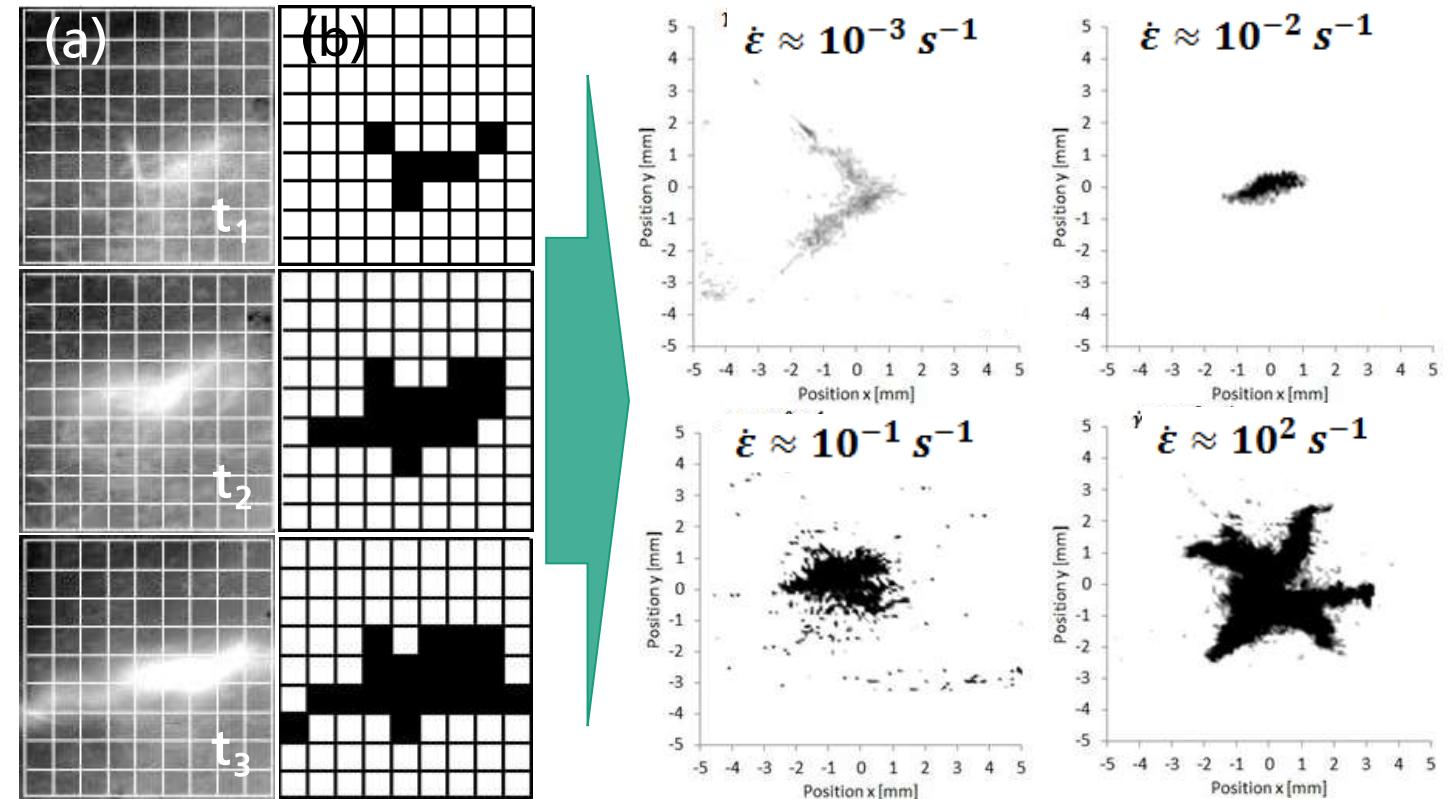
Hot-Spot-Detection

- Definition of a temperature window above reference temperature
- Reference temperature = $\Delta T_{int}(t)$
- The temperature fields (t) are filtered for values within the defined window



Space and time summation

- Determined values within the temperature window are written with an 1 in an separate matrix
- Normalization on the number of time steps
- Indication of the damage zone $D(x_i, \dot{\varepsilon})$

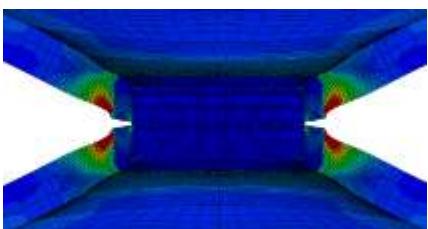


Multi step evaluation of crashworthiness of Joints

Characterization of joints

TASKS

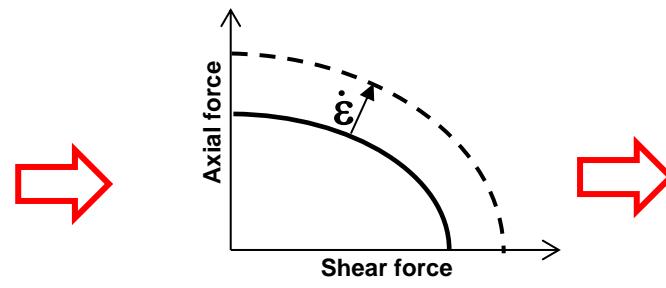
- Determination of material/joint data
- Simulation of specimen tests



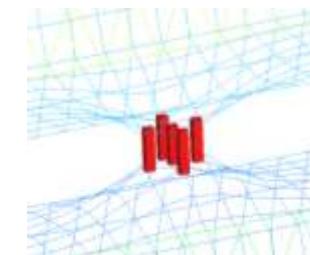
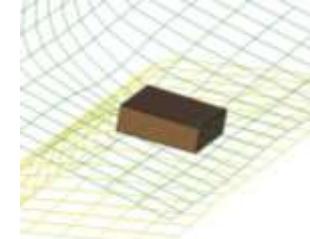
Validation of material and FE-models

Transfer of Results

- Simulations of different loading situations
- Variation of sheet thickness, strainrate, material combinations



- Simulation of specimen tests with simplified models

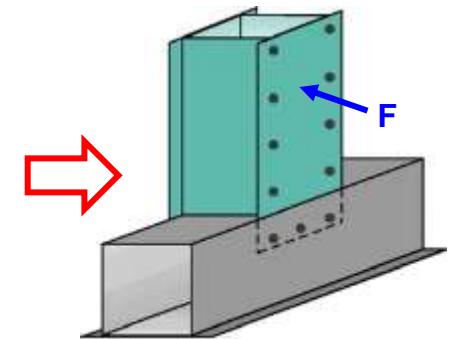


Calibration of simplified models

Component behavior

- Simulation of component tests with simplified models

$$F_{\text{sim}} = 14,9 \text{ kN}$$
$$F_{\text{exp}} = 14,1 \text{ kN}$$

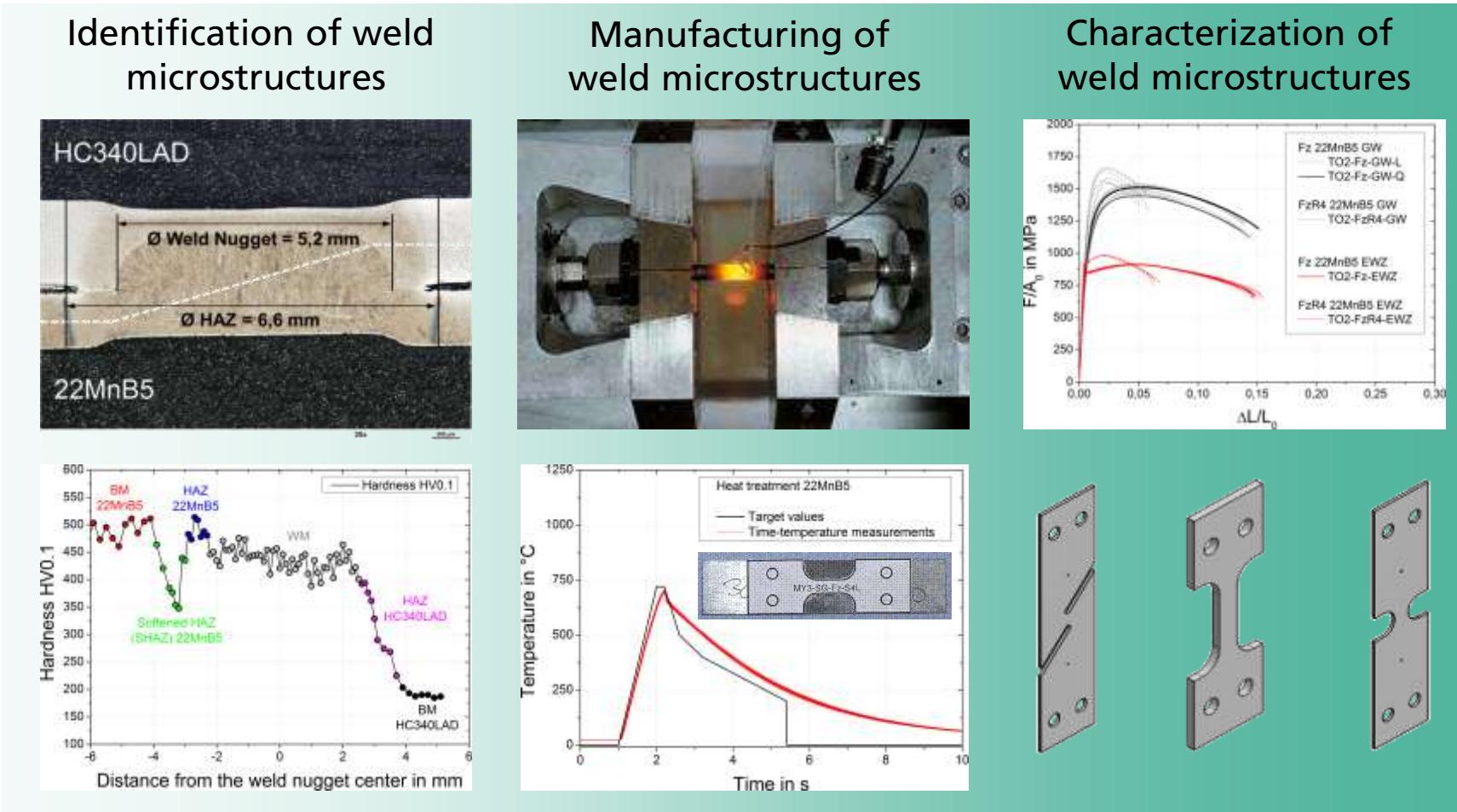


Validation with component tests

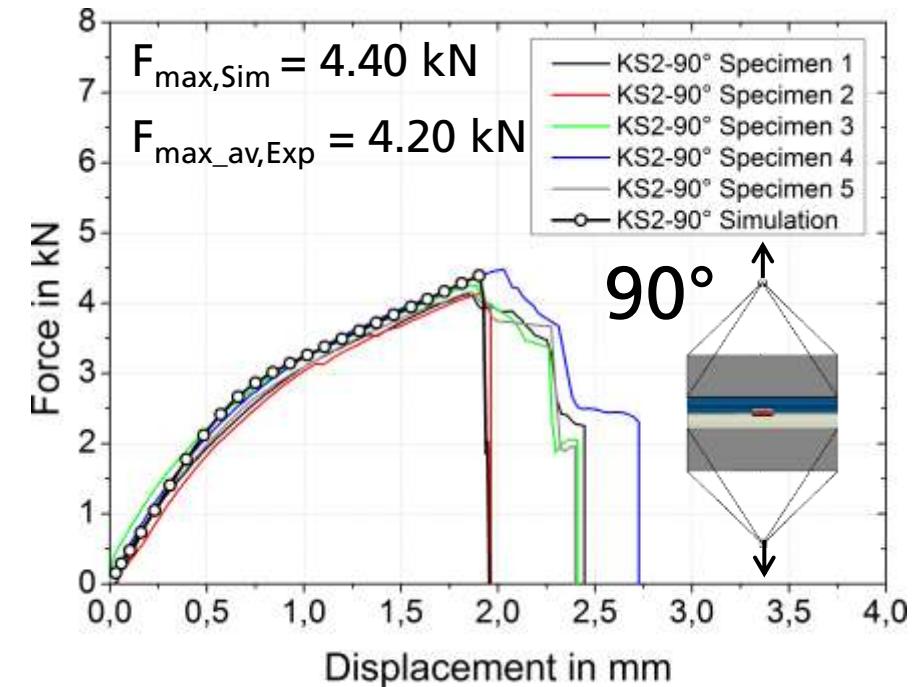
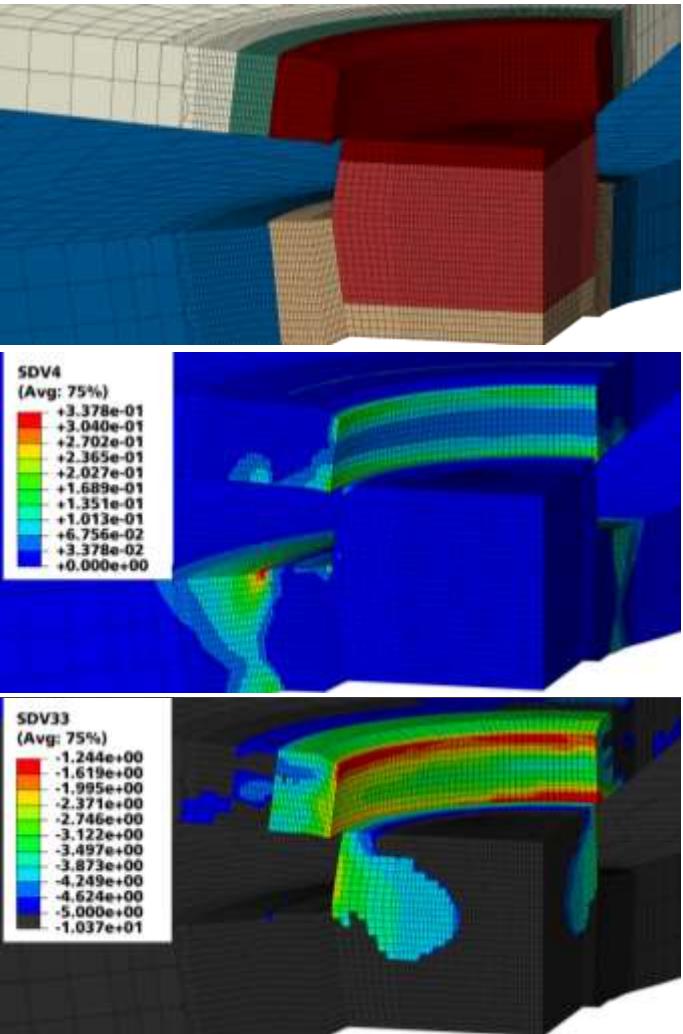
AIM

Experimental determination of material behavior

Deformation and failure behavior of the weld zone microstructures

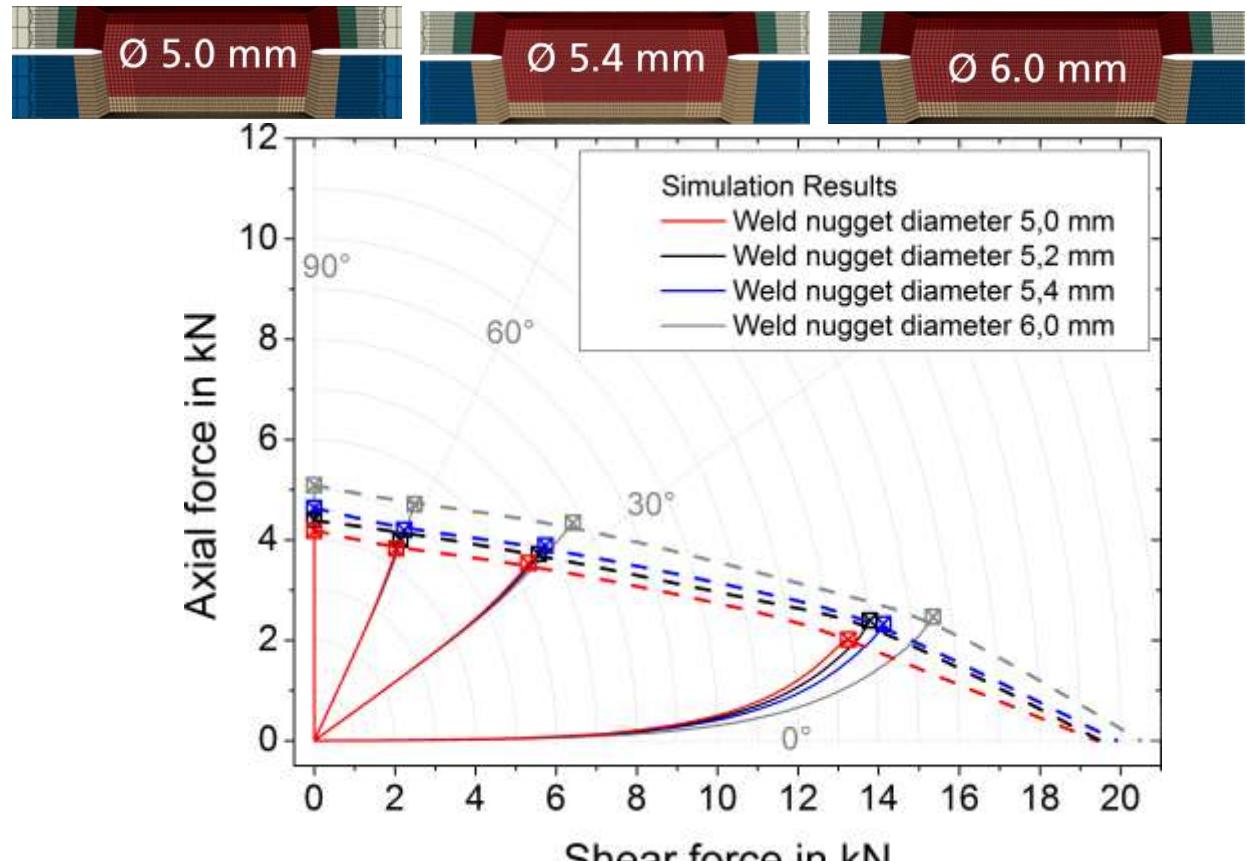
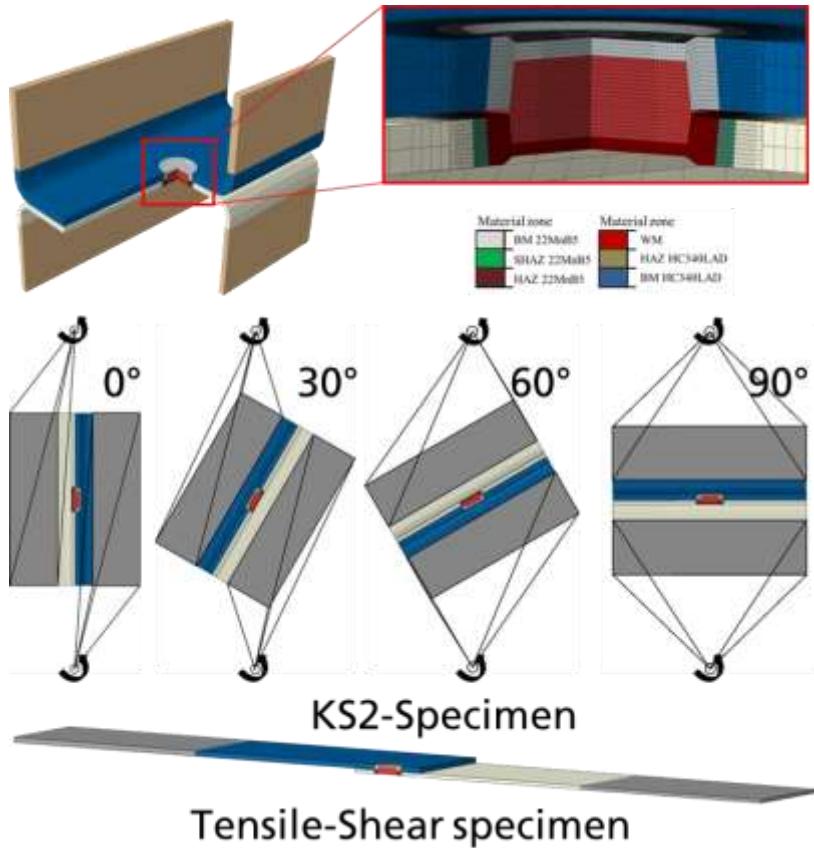


Modeling of spot-welded joints



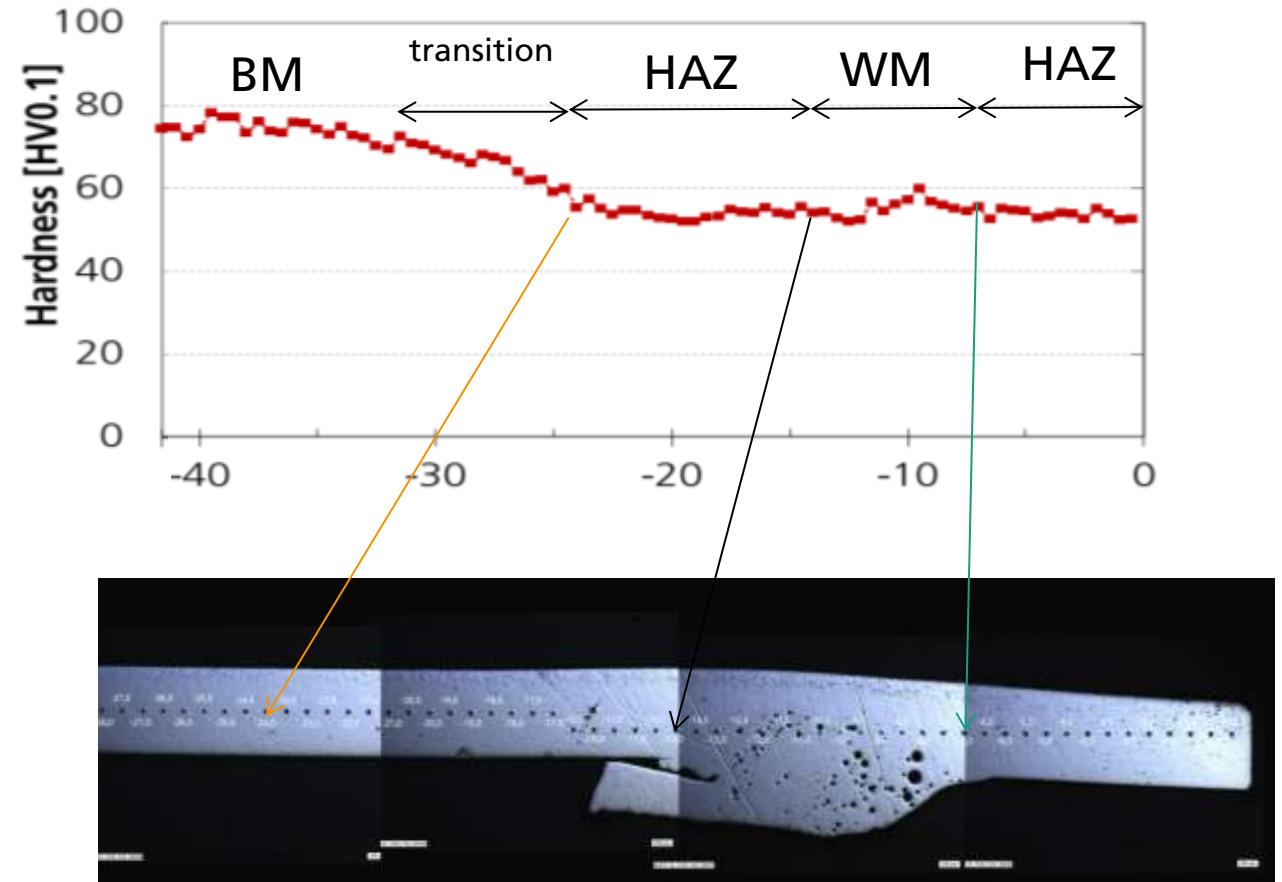
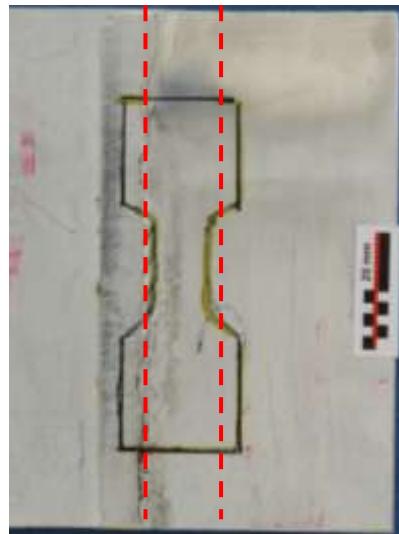
Modeling of spot-welded joints

Numerical prediction of load bearing capacities using micromechanical damage models for the different weld zones



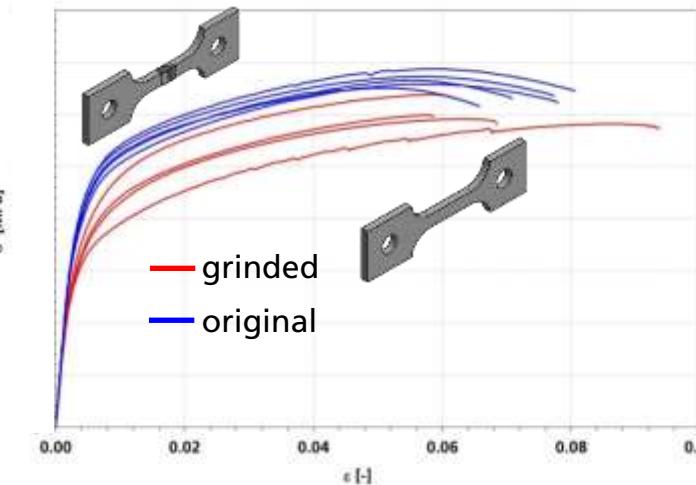
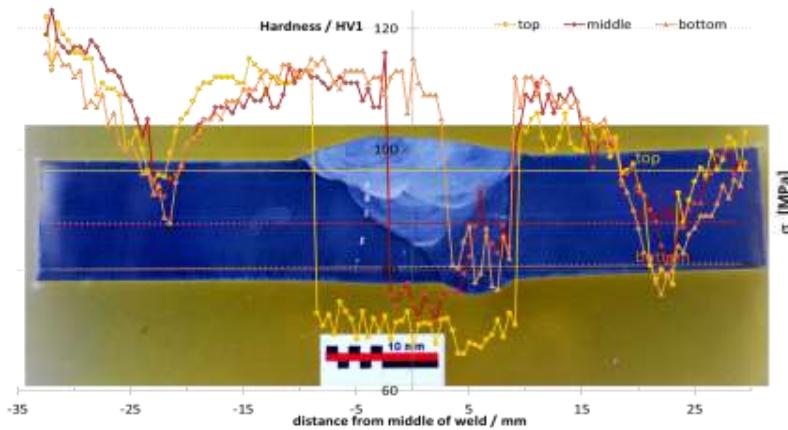
Characterization and modeling of weld zone specific material properties of GMAW weld seams

HAZ of Al 6000 series extrusion profil (MIG weld seam)

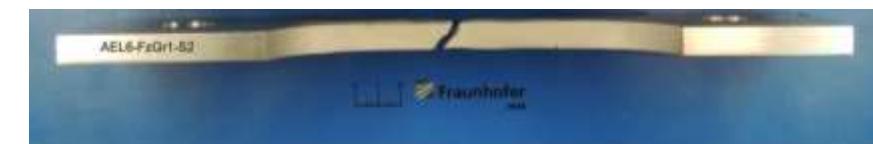


Layered butt weld of Al 7000 series alloy (MIG welded)

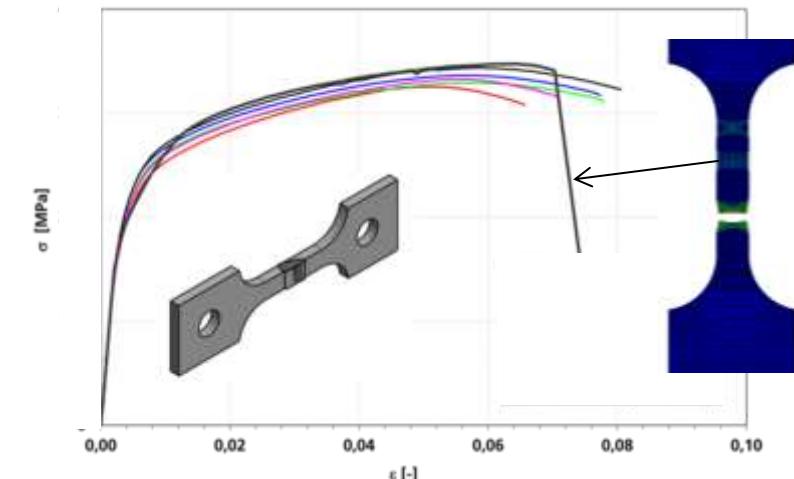
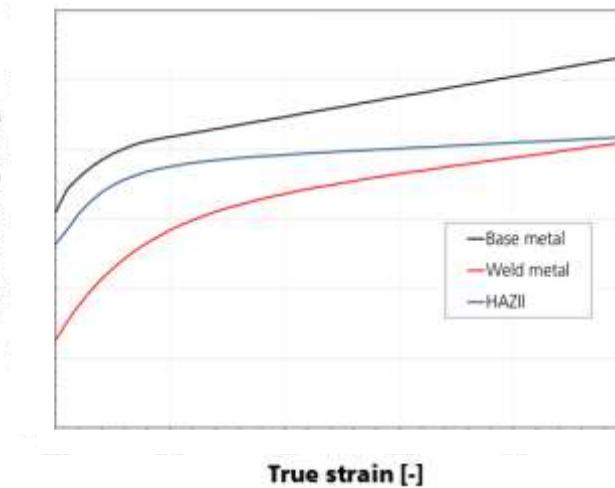
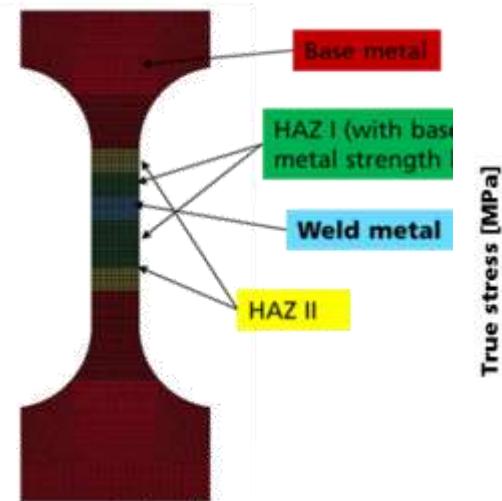
Tested smooth tensile specimens: as welded and grinded



Specimens "as welded" fractured in softened HAZ



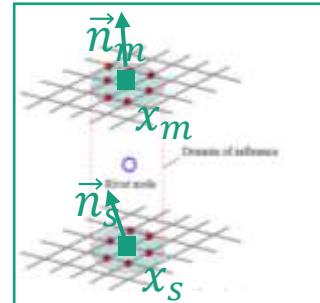
Specimens "grinded" fractured in weld metal



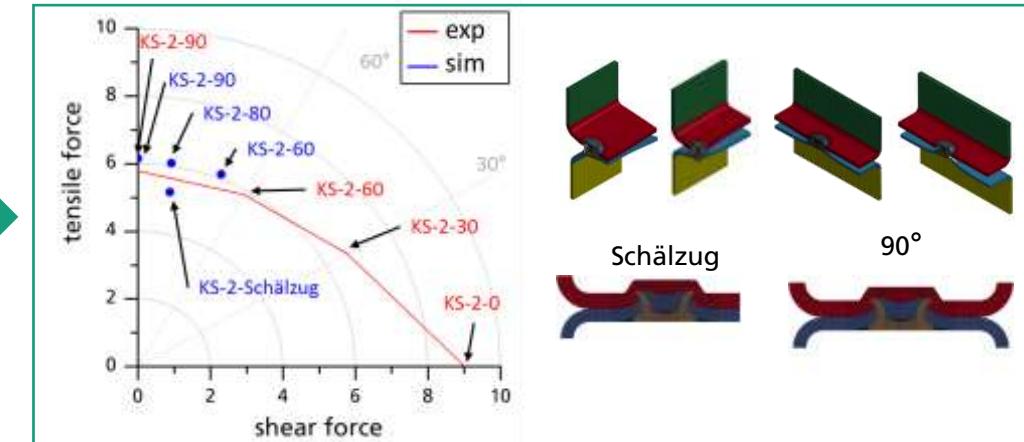
Modeling of self-piercing riveted joints

*CONSTRAINED_INTERPOLATION_SPOTWELD (Model 2) in LS-Dyna

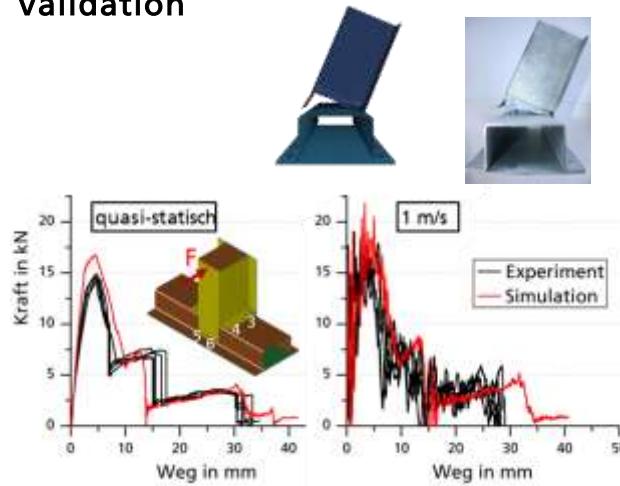
*CONSTRAINED_SPR3 (Model 2)



Modell of SPRs
for crash simulation
based on
CONSTRAINED-
models



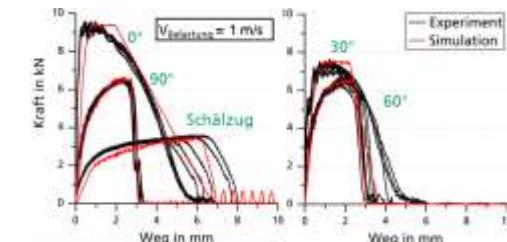
Validation



Deformation and
 $sym = f(\alpha(\vec{n}_m, \vec{n}_s))$
and damage behavior
up to failure

$$\left[\left(\frac{f_n}{R_n \cdot (1 - \alpha_1 * sym)} \right)^{\beta_1} + \left(\frac{f_s}{R_s} \right)^{\beta_1} \right]^{\frac{1}{\beta_1}} - F^0(\bar{u}^{pl}) = 0$$
$$\left[\left(\frac{\bar{u}_f^{pl,n}}{\bar{u}_{f,ref}^{pl,n} \cdot (1 - \alpha_3 * sym)} \right)^{\beta_3} + \left(\frac{\bar{u}_f^{pl,s}}{\bar{u}_{f,ref}^{pl,s}} \right)^{\beta_3} \right]^{\frac{1}{\beta_3}} - 1 =$$

Determination of model parameters



Automation of parameter identification and prediction of model parameters

*CONSTRAINED_INTERPOLATION_SPOTWELD (Model 2) in LS-Dyna

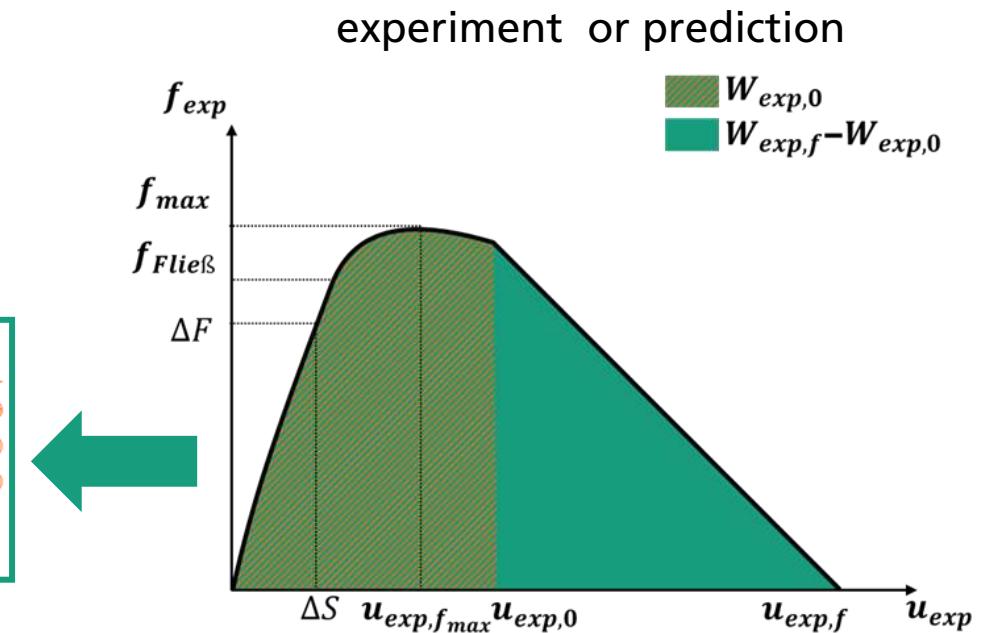
*CONSTRAINED_SPR3 (Model 2)

- Implementation of the calculation procedure in the software JoiningLab (GFaI)
- Model parameters are automatically determined from experimental test results
- Prediction of properties and model parameters for untested connections,
i.e. for unknown properties of a joint
- Output of a material card file for LS-Dyna

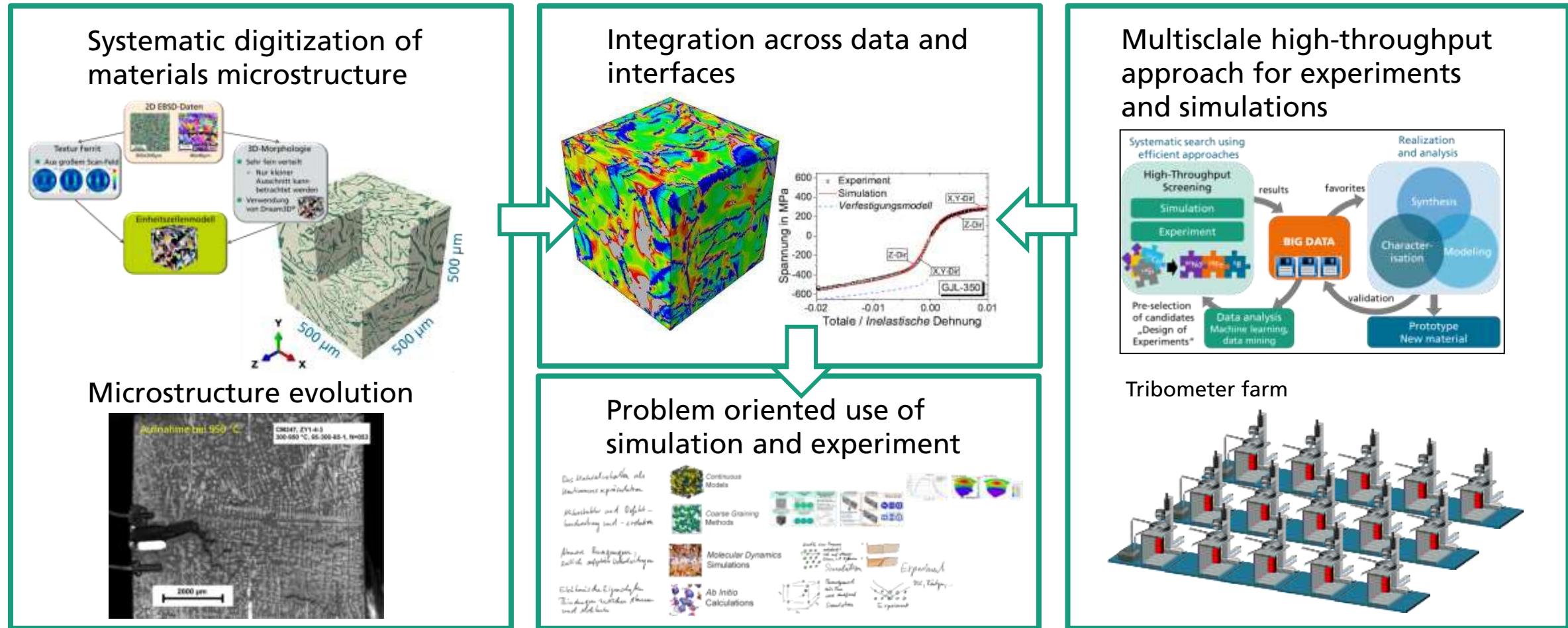


Parameters / material card

*PARAMETER				
R THICK	3.1	R BETA	1.2	R UPFN
R R	5.000	R LCF	1984	R UPFS
R STIFF	15		R ALPHA2	0.5 R MRN
R ALPHA1	0.7		R BETA2	1.7 R MRS
R RN	3.695	R DENS	7.85e-6	R UPRN
R RS	5.498	R INTP	1.0	R UPRS



Digitalization with Fraunhofer IWM: Integrated concept for reliability, lifetime, functionality of materials and components



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