

Integrative crash simulation of composite structures

the importance of process induced material data



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Content



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- Integrative Simulation?
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 - Fiber orientation in filling process
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 - Influence of fiber orientation tensor
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Short-fiber-reinforced plastic parts under crash loads

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- Nonlinear material behaviour
- High strain and strain rate
- Failure

Conventional approach for designing mould and part is inadequate

Reason: local anisotropy is not taken into account

→ Integrative Simulation

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Micrograph

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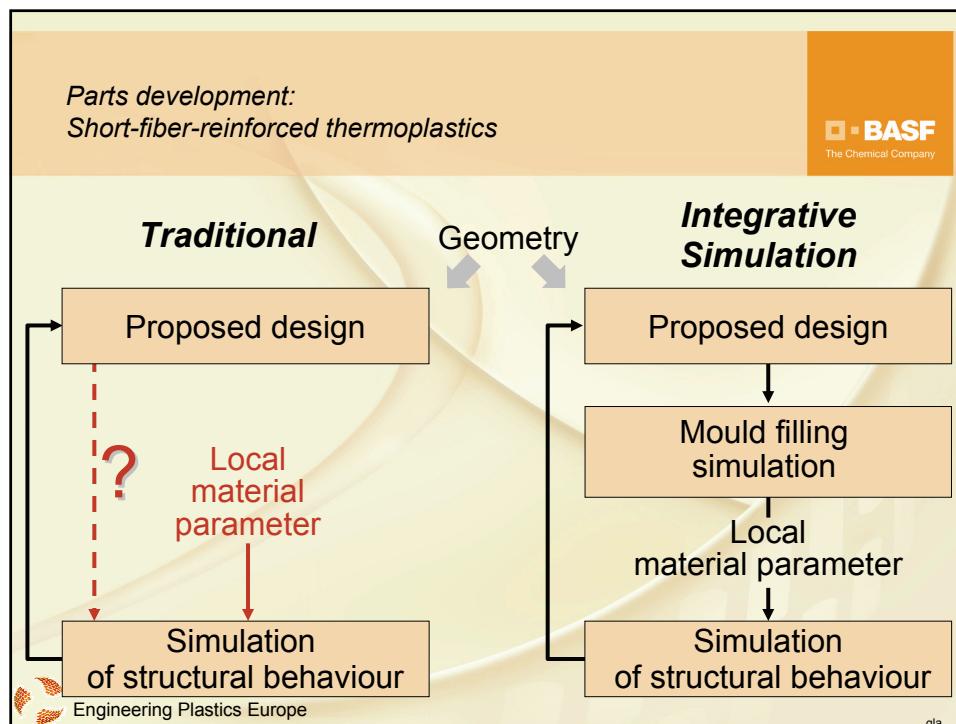
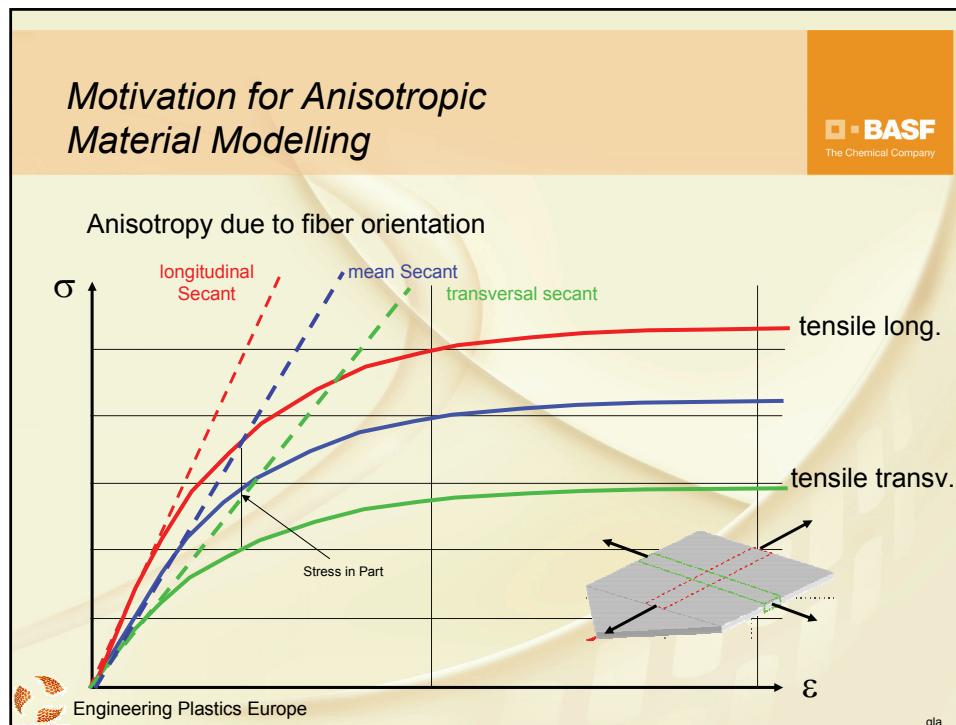
Integrative Simulation for fiber reinforced thermoplastic materials

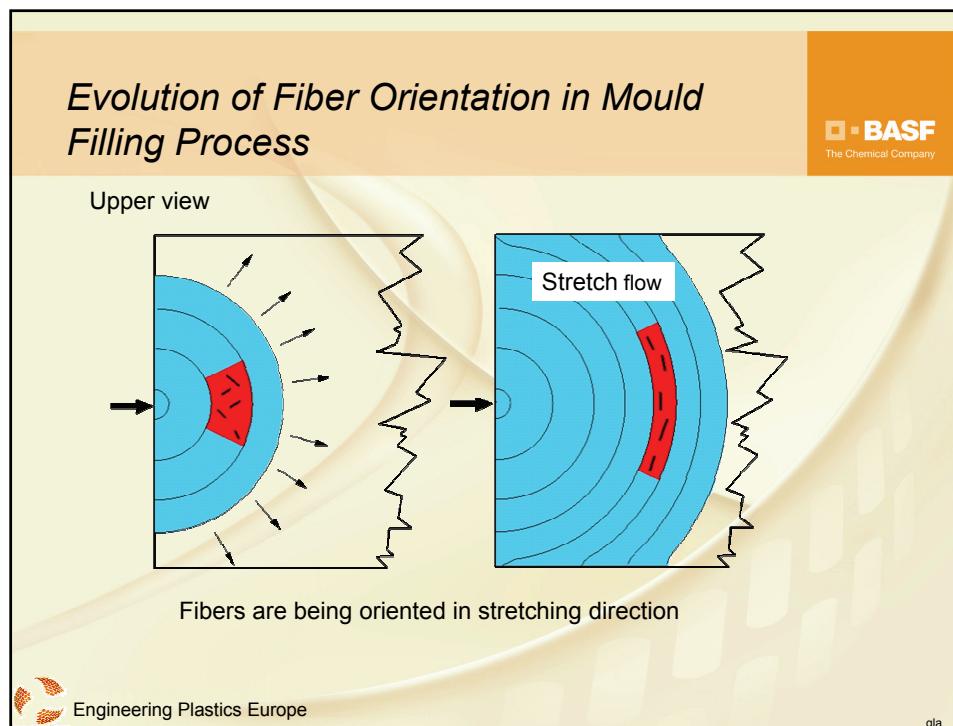
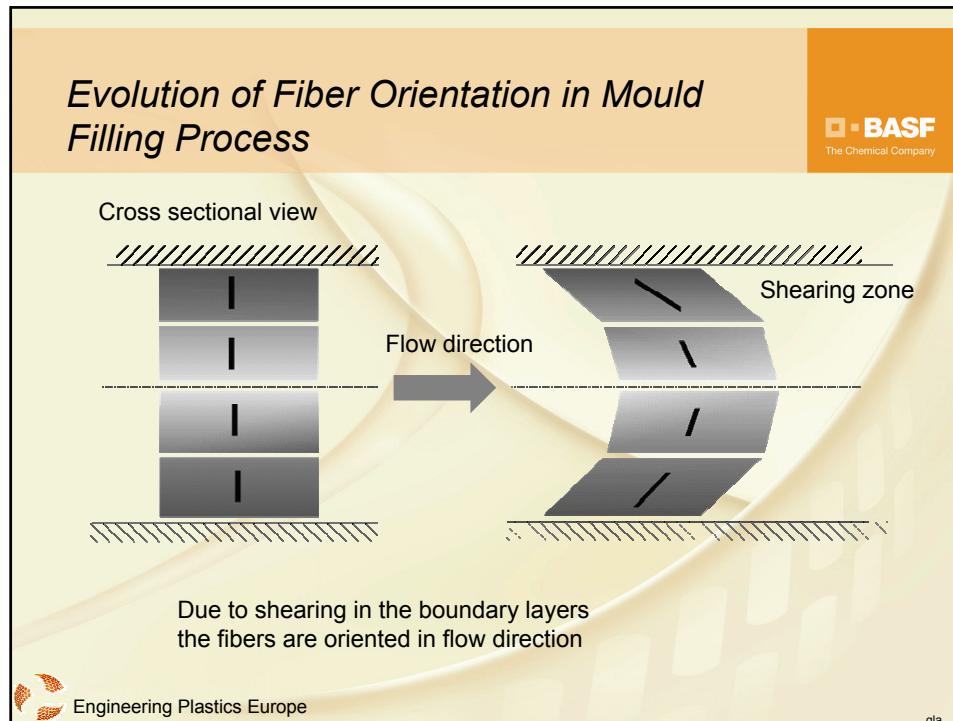
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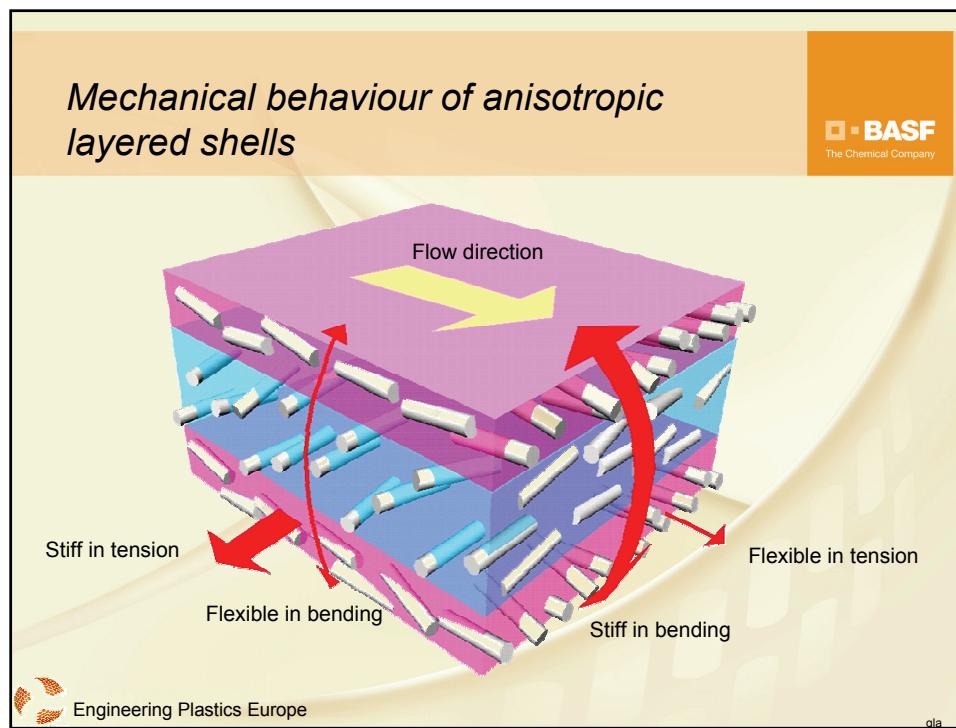
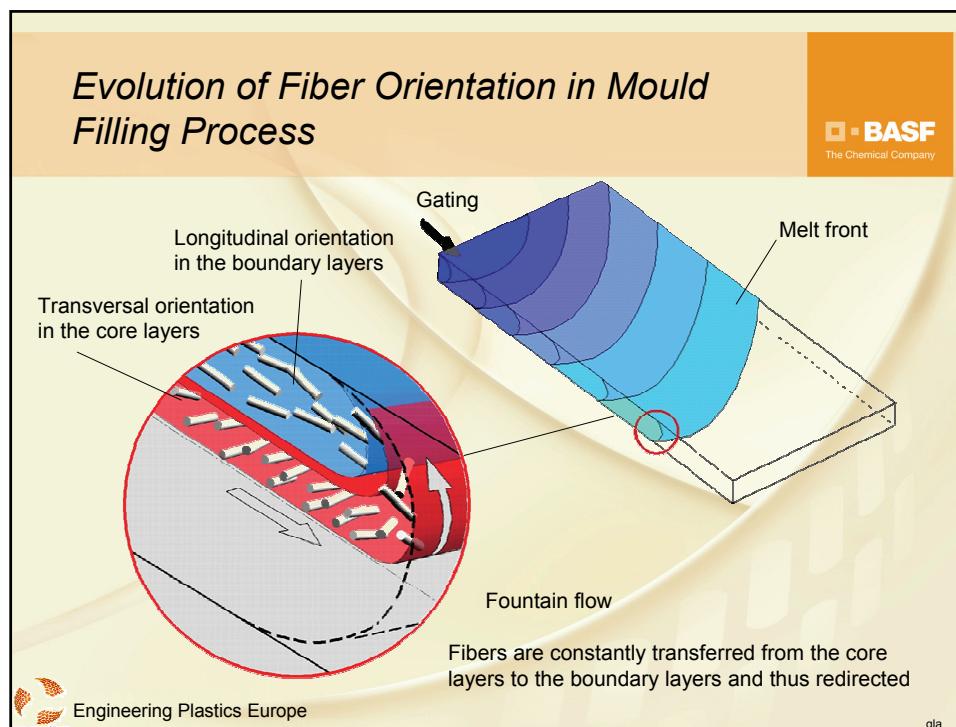
Process → Material → Part

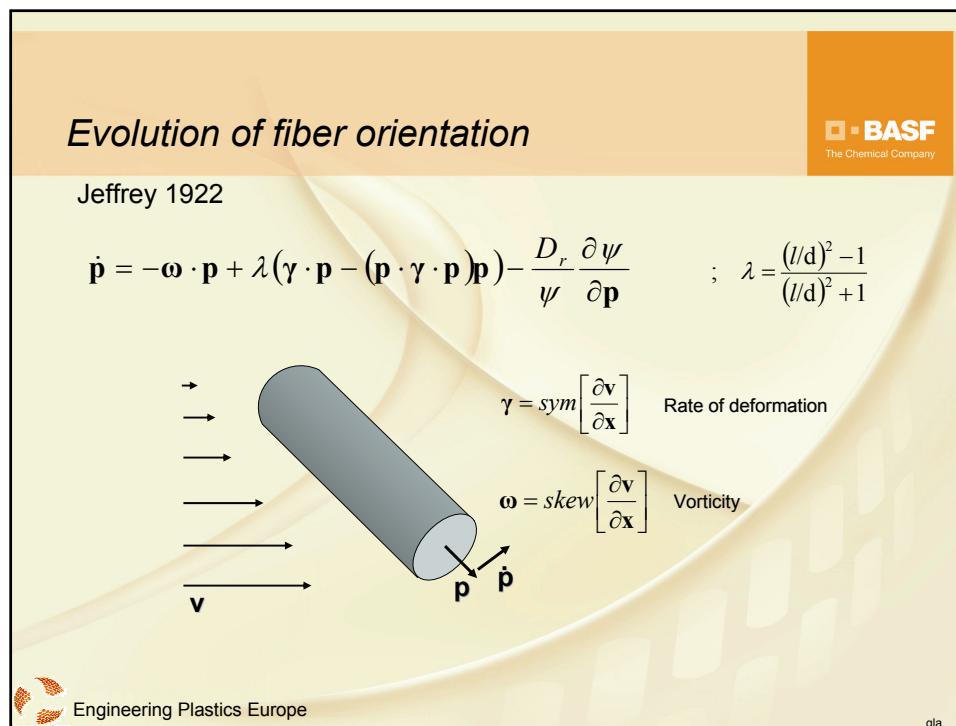
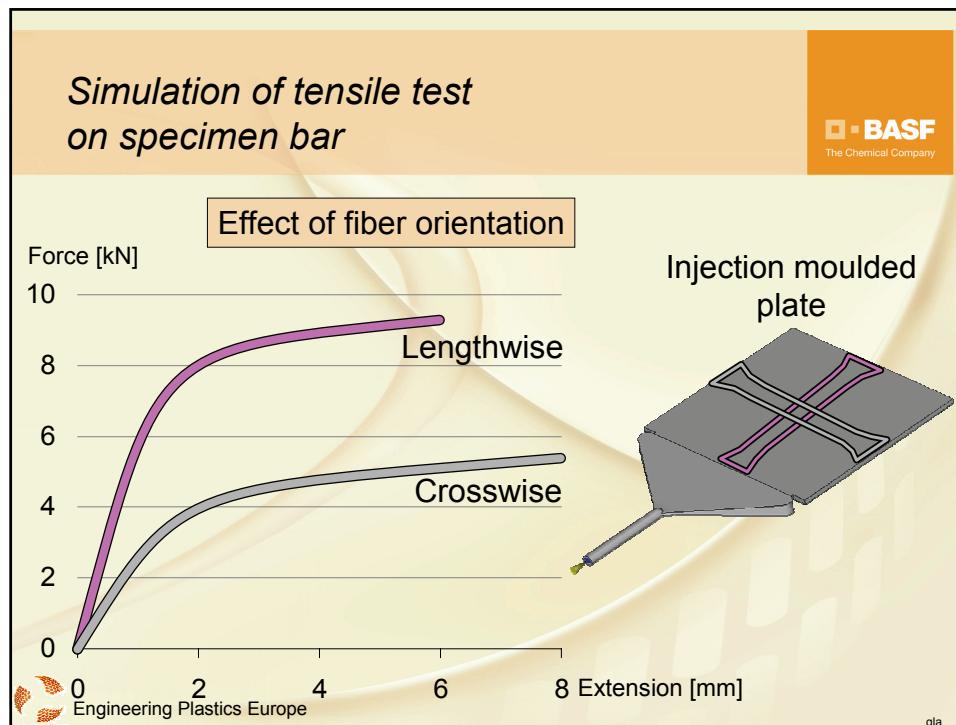
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Orientation distribution function

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Orientation tensors

$$\mathbf{a} = \int \mathbf{p} \otimes \mathbf{p} \psi(\mathbf{p}) d\omega$$

$$\mathbf{a}^4 = \int \mathbf{p} \otimes \mathbf{p} \otimes \mathbf{p} \otimes \mathbf{p} \psi(\mathbf{p}) d\omega$$

(Tucker 1987)

Taylor expansion of ODF

$$\psi(\mathbf{p}) = \frac{1}{4\pi} + \frac{15}{8\pi} + \text{dev}(\mathbf{a}) : \text{dev}(\mathbf{p} \otimes \mathbf{p})$$

$$+ \frac{315}{32\pi} \text{dev}(\mathbf{a}^4) : \text{dev}(\mathbf{p} \otimes \mathbf{p} \otimes \mathbf{p} \otimes \mathbf{p}) + \dots$$

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Homogenization of fibers and polymer

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Mean Field Theory (Mori and Tanaka, Tandon and Weng)

$$\sigma_0 = \mathbf{E}_0 : \boldsymbol{\varepsilon}_0$$

$$\sigma_1 = \mathbf{E}_1 : \boldsymbol{\varepsilon}_1$$

Homogenization

$$\bar{\mathbf{E}} = [c_1 \mathbf{E}_1 : \mathbf{B}^\varepsilon + (1 - c_1) \mathbf{E}_0] : [c_1 \mathbf{B}^\varepsilon + (1 - c_1) \mathbf{I}]^{-1}$$

$$\mathbf{B}^\varepsilon = (\mathbf{I} + \mathcal{E}_{(I,\omega)} : [\mathbf{E}_0^{-1} : \mathbf{E}_1 - \mathbf{I}])^{-1} \quad \mathcal{E}_{(I,\omega)} : \text{Eshelby Tensor}$$

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